

Chapter -3-

Cost – Volume - Profit Analysis

(CVP)

Cost – volume – Profit (CVP) analysis studies the behavior and relationship among (revenues, total cost, and income) as changes occur in the units sold, selling price, variable cost per unit, fixed cost of a product.

**(CVP) Assumptions:**

The following are some assumptions underlying (CVP) analysis:

- 1- Changes in the levels of revenues and costs arise only because of changes in the number of product (or service) units sold. The number of units sold is the only revenue driver and the only cost driver. Just as a cost driver is any factor that affects costs, a revenue driver is a variable, such as volume, that causally affects revenues.
- 2- Total costs can be separated into two components: a fixed component that does not vary with units sold and a variable component that changes with respect to units sold.
- 3- When represented graphically, the behaviors of total revenues and total costs are linear (meaning they can be represented as a straight line) in relation to units sold within a relevant range (and time period).
- 4- Selling price, variable cost per unit, and total fixed costs (within a relevant range and time period) are known and constant.

### Expressing (CVP) Relationships:

There are three methods to think more deeply about (CVP) relationships:

#### 1- The equation method:

$$\text{Net Income} = \text{Revenues} - \text{Total costs}$$

$$\text{Net Income} = (\text{Selling price} * \text{Quantity sold}) - [(\text{Variable cost per unit} * \text{Quantity}) + \text{Fixed cost}]$$

$$\text{Net Income} = (\text{SP} * \text{Q}) - [(\text{V.C} * \text{Q}) + \text{F.C}]$$

At Breakeven point net Income = Zero

$$\text{Revenue} = \text{Total Cost}$$

$$\text{S.P} * \text{Q} = (\text{V.C} * \text{Q}) + \text{F.C}$$

#### 2- Contribution Margin Method:

$$\begin{aligned} \text{A: Breakeven point (units)} &= \frac{\text{Fixed costs}}{\text{Contribution Margin per unit}} \\ &= \frac{\text{F.C}}{\text{S.P} - \text{V.C}} \end{aligned}$$

$$\begin{aligned} \text{B: Breakeven point (\$)} &= \frac{\text{Fixed Costs}}{\text{Contribution margin percentage}} \\ &= \frac{\text{F.C}}{\text{C.M \%}} \end{aligned}$$

$$\begin{aligned} * \text{C.M \%} & \begin{cases} \rightarrow 100\% - \text{V.C \%} \\ \rightarrow \frac{\text{S.P} - \text{V.C}}{\text{S.P}} \\ \rightarrow \frac{\text{Total Revenue} - \text{Total variable costs}}{\text{Total Revenue}} \end{cases} \end{aligned}$$

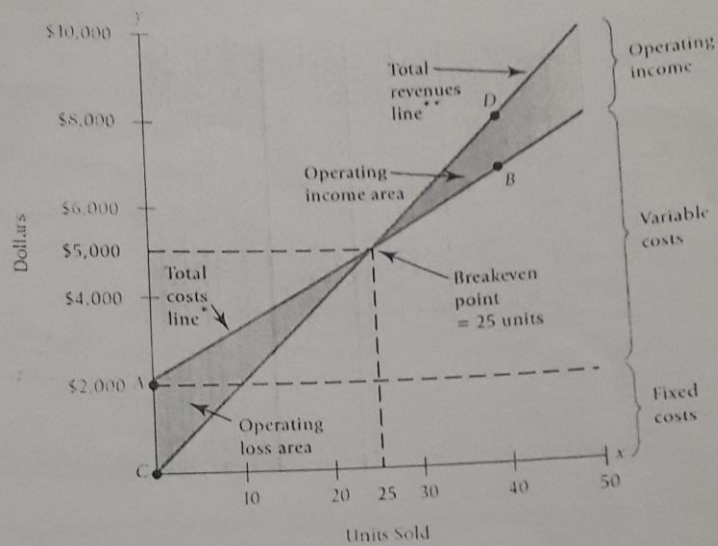
### 3- Graph Method:

**Example:** The following data have been collected:-

Selling price per unit \$200, Variable cost per unit \$120, Fixed cost \$2000

**Required:** Find breakeven point graphically.

**Solution:**



\* Slope of the total costs line is the variable cost per unit = \$120  
\*\* Slope of the total revenues line is the selling price = \$200

### Contribution Margin and Margin of safety:

Contribution Margin = Selling Price - Variable cost

Margin of Safety (units) = Actual (Budgeted) sales (units) - Breakeven Point (units)

Or Margin of safety (\$) = Actual (Budgeted) sales (\$) - Breakeven Point (\$)

Margin of safety percentage =  $\frac{\text{Margin of safety}}{\text{Actual (Budgeted) sales}}$

## Target Net Income and Income Taxes:

### A- Without Income tax

The quantity of units must =  $\frac{\text{Fixed Cost} + \text{Profit}}{\text{Contribution Margin}} = \frac{F.C + R}{S.P - V.C}$   
Sell to earn net income

$$\text{Total Revenue (\$)} = \frac{F.C + R}{C.M \%}$$

### B- With Income tax

Total quantity of units Must =  $\frac{\text{Fixed Cost} + \frac{\text{Profit}}{1 - \text{tax rate \%}}}{C.M} = \frac{F.C + \frac{R}{1 - \text{tax \%}}}{S.P - V.C}$   
sell to earn net income after tax

$$\text{Total Revenue (\$)} = \frac{\text{Fixed cost} + \frac{\text{Profit}}{1 - \text{tax rate}}}{\text{Contribution Margin \%}} = \frac{F.C + \frac{R}{1 - \text{tax \%}}}{C.M \%}$$

## Sensitivity Analysis and (CVP)

Sensitivity analysis is a "what-if" technique that managers use to examine how an outcome will change if the original predicted data are not achieved or if an underlying assumption changes.

In (CVP) analysis, sensitivity analysis answers questions such as:

- \* What will operating income be if the quantity of unit sold decrease?
- \* What will operating income be if variable cost increase?
- \* What will operating income be if fixed cost increase?

## Operating Leverage and CVP:

Operating Leverage describe the effects that fixed costs have on changes in operating income as changes occur in units sold and contribution Margin

$$\text{Degree of Operating Leverage} = \frac{\text{Contribution Margin}}{\text{Net Income}}$$

$$\text{Or Degree of Operating Leverage} = \frac{1}{\text{Margin of safety\%}}$$

Data	High Leverage	Low Leverage
Variable Cost	Low	High
Fixed Costs	High	Low
Breakeven point	High	Low
Risk	High	Low
Profit	High	Low

### (CVP) Analysis and Sales Mix:

$$\text{Breakeven point in bundles} = \frac{\text{Fixed Cost}}{\text{Contribution Margin per bundle}}$$

$$= \frac{\text{Fixed Costs}}{\frac{\text{Total Contribution Margin}}{\text{Total quantity sold}}}$$

**Breakeven point for each product (units):**

Breakeven point for product A (units) =

$$\text{Breakeven point in bundles} * \frac{\text{Quantity sold (A)}}{\text{Total quantity sold}}$$

Breakeven point for product A (units) =

$$\text{Breakeven point in bundles} * \frac{\text{Quantity sold (B)}}{\text{Total quantity sold}}$$

$$\text{Breakeven Point (revenues)} = \frac{\text{Fixed Costs}}{\text{Contribution margin \% for the bundle}}$$

Breakeven point for each product (\$)

Breakeven point for each product A (\$) =

$$\text{Breakeven Point (revenues)} * \frac{\text{Revenue(A)}}{\text{Total Revenue}}$$

Breakeven point for each product B (\$) =

$$\text{Breakeven Point (revenues)} * \frac{\text{Revenue(B)}}{\text{Total Revenue}}$$

