## Three component systems

## i. Introduction

It is essential that the reader becomes familiar with certain "rules" that relate to the use of triangular coordinates. It should have been apparent in discussing two-component systems that all concentrations were expressed on a weight-weight basis. This is because, although it is an easy and direct method of preparing dispersions, such an approach also allows the concentration to be expressed in terms of the mole fraction or the molality. The concentrations in ternary systems are accordingly expressed on a weight basis

## ii. Rules relating to the triangular diagram



## The triangular diagram for three-component systems

1) Each of the corners or apexes of triangle represent $100 \%$ by weight of one component $(\mathcal{A}, \mathcal{B} \mathcal{L} C)$ as a result , the same apex will represent $0 \%$ of the other two components.
2) The area within the triangle represents all possible combinations of $\mathcal{A}, \mathfrak{B L}$ C to give three component systems.
3) If a line is drawn through any apex to a point on the opposite side, then all systems are represented by points on such fine have constant ratio of two components.
4) Any line drawn parallel to one side of the triangle represents ternary systems in which the proportion (or \% by weight) of one component is constant.

## For example:

The area within the triangle represents all the possible combinations of $A, B$, and $C$ to give three-component systems. The location of a particular three-component system within the triangle, for example, point $x$, can be undertaken as follows.

The line $A C$ opposite apex $B$ represents systems containing $A$ and $C$. Component $B$ is absent, that is, $B=0$. The horizontal lines running across the triangle parallel to $A C$ denote increasing percentages of $B$ from $B=0$ (on line $A C$ ) to $B=100$ (at point $B$ ). The line parallel to $A C$ that cuts point $x$ is equivalent to $15 \% B$; consequently, the system contains $15 \%$ of $B$ and $85 \%$ Of $\mathcal{A}$ and $C$ together.

Applying similar arguments to the other two components in the system, we can say that along the line $\mathcal{A B}, C=0$. The point $x$ lies on the line parallel to $\mathcal{A B}$ that is equivalent to $30 \%$ of C. It follows, therefore, that the concentration of $\mathcal{A}$ is $100-(B+C)=100-(15+30)=55 \%$. This is readify confirmed by proceeding across the diagram from the line $\mathcal{B C}$ toward apex $\mathcal{A}$; point $x$ lies on the line equivalent to $55 \%$ of $\mathcal{A}$.
Then find the percent of $\mathcal{H}, \mathcal{E}, \mathcal{F}$, and $G$ ?
(Another example is used in the presentation)

## iii. Experimental

Part l: prepare acetic acid ( $\mathcal{H A C}), ~ С \mathcal{H C l 3 ~ a n d ~ d i s t i l l e d ~ w a t e r ~ a s ~ w e l l ~ a s ~}$ conical flasks and burettes.

## Pat [C:

1- Prepare 10 gm of the following combinations of $\mathcal{H A C} \mathcal{L}$ $\mathrm{CHCl}_{3}: 5 \%, 10 \%, 20 \%, 30 \%, 40 \%, 50 \%, 60 \%, 70 \%, 80 \%$, and $90 \% w / w \mathcal{H A C}: \mathrm{CHCl}_{3}$ in a small clean $\mathcal{L}$ dry flask which form one single phase
(S.G. for $\mathcal{H A C}=1.009$ and $C \mathcal{H C} โ 3=1.3$ ).

2- Add the water slowly to the prepared mixtures from a burette until a turbidity appears. Check the weight of water (which is equal to its volume).
3- Obtain a miscible curve by calculating the percent $w / w$ of each component in the turbid mixture and plot this triangular diagram.

## iv. Witten laboratory report

Follow the general instructions for written laboratory reports.

|  | Weight of each <br> component (g) |  |  | Weight percentage of each <br> component (\%w/w) |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Flask No. | $\mathbf{H A c}$ | $\mathrm{CHCl}_{3}$ | $\mathbf{H}_{2} \mathbf{O}$ | $\mathbf{H A c}$ | $\mathbf{C H C l}_{3}$ | $\mathbf{H}_{2} \mathbf{O}$ |
| 1 |  |  |  |  |  |  |
| 2 |  |  |  |  |  |  |
| 3 |  |  |  |  |  |  |
| 4 |  |  |  |  |  |  |
| 5 |  |  |  |  |  |  |
| 6 |  |  |  |  |  |  |
| 7 |  |  |  |  |  |  |
| 8 |  |  |  |  |  |  |
| 9 |  |  |  |  |  |  |
| 10 |  |  |  |  |  |  |


v. References

Martins-Physical-Pharmacy-Pharmaceutical-Sciences/dp/0781797667

## Experiment 4 <br> The Tie - Line for Three Component System

## I. Introduction

Water © Genzene are miscible only to a slight extreme so a mixture of the two usually produces 2 phase system; the lower layer consists of water saturated with benzene while the lighter phase includes benzene saturated with water. On the other hand, alcohol is completely miscible with both benzene $\mathcal{Q}$ water, therefore, that the addition of sufficient alcohol to water $\mathcal{L}$ benzene (2 phase) will produce single phase system in which all the three components are miscible.

It might helpful to consider alcohol to act as a temperature in binary system of phenol \& water. As the heat has been used to break the cohesive forces between molecules the miscibility will increase until one phase is formed, the addition of alcohol to benzene-water mixture achieves the same mission but by a different behaviour which is a sofvent effect instead of temperature effect. $\mathcal{A l c o h o l ~ a c t s ~ a s ~ a n ~ i n t e r m e d i a t e ~ p o l a r ~ s o l v e n t ~ t h a t ~ s h i f t s ~ t h e ~ e l e c t r i c ~ e q u i l i b r i u m ~}$ of the dramatically opposed a highty polar water ol non-polar Genzene sofution to provide solvation.

## Ii .Ternary systems with one pair of partially miscible Ciquid

suppose that $A, B$, and $C$ represent water, alcohol, and benzene, respectively. The line $A C$ therefore depicts binary mixtures of $A$ and $C$, and the points $a$ and $c$ are the limits of solubility of $C$ in $A$ and of $A$ in $C$, respectively.
The curve afdeic, frequently termed a binodal curve or binodal, marks the extent of the two-phase region. The remainder of the triangle contains one liquid phase.

The tie lines within the binodal are not necessarily parallel to one another or to the base line, $A C$, as was the case in the two-phase region of binary systems. the directions of the tie lines are related to the shape of the binodal, which in turn depends on the relative solubility of the third component (in this case, alcohol) in the other two components. Only when the added component acts equally on the other two components to bring them into sollution will the binodal be perfectly symmetric and the tie lines run parallel to the baseline.

The properties of tie lines for binary systems still apply, and systems $g$ and $h$ prepared along the tie line fi are and both give rise to two conjugated phases having the compositions denoted by the points $f$ and $i$.


A system of three liquids, one pair of which is partially miscible

Properties of the tie line of three component system:-
1- Any system that is prepared a long the tie line will rise two phase having a constant composition.
2- The relative amount by weight of the two conjugate phases will depend on the position of the original system along the tie line.

## iii. Experimental

Part E: prepare $\mathcal{H} 2 \mathrm{O}, \mathcal{H} \mathcal{A} C, \quad \mathcal{H} C[3,1 \mathcal{N} \mathcal{N a O H}$ solution and phenolphthalein as an indicator as well as burettes, separator funnel, conical flasks and a balance.

## Part ll:

1. In a separator funnel, prepare 50 gm of a mixture having a composition giving rise to a two phase system (e.g. $4 \mathrm{gm} \mathcal{H} \mathcal{A} C+16$ gm СННСГ3 + 30gm H2O).
2. Separate each layer in two conical flasks.
3. Titrate 10 gm of each layer with standard $1 \mathcal{N} \mathcal{N} a O \mathcal{H}$ sofution using phenolphthalein as indicator (the end point from colourless to pink).
4. Calculate the percent $\mathcal{W} / \mathcal{W}$ of $\mathcal{H} \mathcal{A C}$ in each layer and locate the values on the miscibility curve (drawn in la6 3). The straight line joining these points should pass through compositions of the two phase system.

## iv. Data Analysis

Calculation:-

1. $\mathcal{H A C}+\mathcal{N a O H} \rightarrow \mathcal{N a A c}+\mathcal{H} 2 \mathrm{O}$
$1 \mathcal{M} . W$ t. of $\mathcal{H} \mathcal{A C}=1 \mathcal{M}$.Wt. of $\mathcal{N a O H}$
1 eq.wt of $\mathcal{H} \mathcal{A C}=1$ eq.wt of $\mathfrak{N a O H}$

$$
\begin{aligned}
60 & =1000 \mathrm{ml} 1 \mathcal{N} \mathfrak{N a O H} \\
60 / 1000 & =1 \mathrm{ml} 1 \mathcal{N} \mathfrak{N a O H}
\end{aligned}
$$

Each 1 ml of $1 \mathcal{N} \mathcal{N a O H}$ is equivalent to 0.06 gm , this is the chemical factor of that equation which is defined as the number of grams of substance that equivalent to 1 ml of standard sofution.
E.P $1 \times 0.06=g m \mathcal{H} A C$ in 10 gm aqueous layer (upper Cayer).
E.P $2 \times 0.06=g m \mathcal{H A C}$ in 10 gm CHC[3 Cayer (Cower layer).
2. Change these values to percent.

## vi. Witten la6oratory report

Follow the general instructions for written laboratory reports.

## Results

| Flask No. | End <br> Point | Weight of HAc <br> (g) in $\mathbf{1 0} \mathbf{g}$ | \% w/w <br> of HAc | \% w/w <br> of $\mathrm{H}_{2} \mathrm{O}$ | \% w/w <br> of $\mathrm{CHCl}_{3}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Upper layer 1 |  |  |  |  |  |
| Lower layer 2 |  |  |  |  |  |

## Graph


waterproof-paper.com

## vii. References

