

# Lecture-19

Chapter 10

Protein binding

# Kinetics of protein binding

- The kinetics of reversible drug-protein binding for a protein with one simple binding site can be described by the law of mass action, as follows:



or



- From the equation 10.15 and the law of mass action, an association constant,  $K_a$ , can be expressed as the ratio of the molar concentration of the products and the molar concentration of the reactants. This equation assumes only one-binding site per protein molecule.

$$K_a = \frac{[PD]}{[P][D]} \quad (10.16)$$

- The extent of the drug-protein complex formed is dependent on the association binding constant  $K_a$ . The magnitude of  $K_a$  yields information on the degree of drug protein binding.
- Drug strongly bound to protein have a very large  $k_a$  and exist mostly as the drug-protein complex. With such drugs, a large dose may be needed to obtain a reasonable therapeutic concentration of free drug.

- Most kinetic studies in vivo use purified albumin as a standard protein source, because this protein is responsible for the major portion of plasma drug-protein binding. Experimentally, both the free drug [D] and the protein-bound drug [PD], as well as the total protein concentration [P] + [PD], may be determined.
- To study the binding behavior of drugs, a determinable ratio  $r$  is defined, as follows:

$$r = \frac{\text{moles of drug bound}}{\text{total moles of protein}}$$

- Because moles of drug bound is [PD] and the total moles of protein is [P] + [PD], this equation becomes

$$r = \frac{[PD]}{[PD] + [P]} \quad (10.17)$$

- According to Equation 10.16,  $[PD] = K_a [P] [D]$ ; by substitution into Equation 10.17, the following expression is obtained:

$$r = \frac{K_a [P][D]}{K_a [P][D] + [P]}$$

$$r = \frac{K_a [D]}{1 + K_a [D]} \quad (10.18)$$

- This equation describes the simplest situation, in which 1 mole of drug binds to 1 mole of protein in a 1:1 complex. This case assumes only one independent binding site for each molecule of drug. If there are  $n$  identical binding site per protein molecule, then the following is used:

$$r = \frac{nK_a [D]}{1 + K_a [D]} \quad (10.19)$$

- In terms of  $K_d$ , which is  $1/ K_a$ , Equation 10.19 reduces to

$$r = \frac{n[D]}{K_d + [D]} \quad (10.20)$$

- Protein molecules are quite large compared to drug molecules and may contain more than one type of binding site for the drug.
- If there is more than one type of binding site and the drug binds independently on each binding site with its own association constant, then Equation 10.19 expands to

$$r = \frac{n_1 K_1 [P]}{1 + K_1 [D]} + \frac{n_2 K_2 [P]}{1 + K_2 [D]} + \dots \quad (10.21)$$

- Where the numerical subscripts represent different types of binding sites, the  $K$ 's represent the binding constants, and the  $n$ 's represent the number of binding sites per molecules of albumin.
- These equations assume that each drug molecule binds to the protein at an independent binding site.
- In reality, drug-protein binding sometimes exhibits a phenomenon of cooperativity. For these drugs, the binding of the first drug molecule at one site on the protein molecule influences the successive binding of other drug molecules.
- The binding of oxygen to hemoglobin is an example of drug cooperativity.

# Determination of binding constants and binding sites by graphic methods

- In-vitro method(Known Protein Concentration)

A plot of the ratio of  $r$  (moles of drug bound per mole of protein) versus free drug concentration  $[D]$  is shown in Figure 10-13.

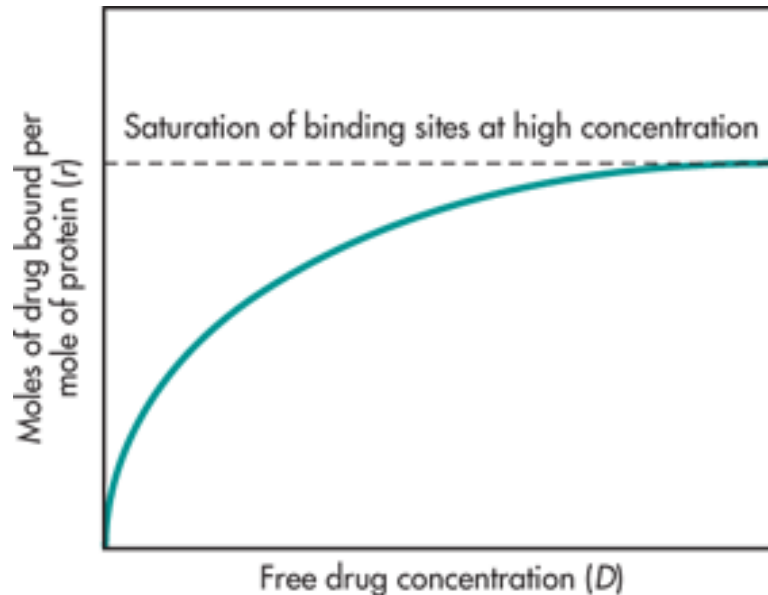


Figure 10-13. graphical representation of Equation 10.20, showing saturation of protein at high drug concentrations.



- Equation 10.20 shows that as free drug concentration increases, the number of moles of drug bound per mole of protein becomes saturated and plateaus. Because of nonlinearity in drug-protein binding, Equation 10.20 is rearranged for the estimation of  $n$  and  $K_a$ , using various graphic methods.

- The values for the association constants and the number of binding sites are obtained by various graphic methods. The reciprocal of Equation 10.19 gives the following equation:

$$r = \frac{nK_a[D]}{1 + K_a[D]} \quad (10.19)$$

$$\frac{1}{r} = \frac{1 + K_a[D]}{nK_a[D]}$$

$$\frac{1}{r} = \frac{1}{nK_a[D]} + \frac{1}{n} \quad (10.22)$$

- A graph of  $1/r$  versus  $1/[D]$  is called a double reciprocal plot. The y intercept is  $1/n$  and the slope is  $1/nK_a$ . From this graph (Figure 10-14), the number of binding sites may be determined from the y intercept, and the association constant may be determined from the slope, if the value for  $n$  is known.

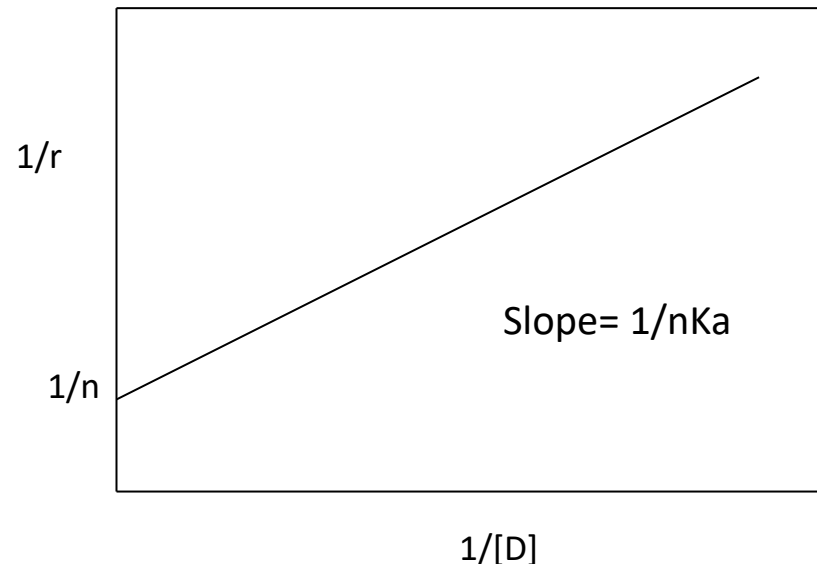


Figure 10-14. hypothetical binding of drug to protein. The line was obtained with the double reciprocal equation.

- If the graph of  $1/r$  versus  $1/[D]$  does not yield a straight line, then the drug-protein binding process is probably more complex.
- Equation 10.19 assumes one type of binding site and no interaction among the binding sites.
- Another graphic technique called the **Scatchard plot**, is a rearrangement of Equation 10-19. the Scatchard plot spreads the data to give a better line for the estimation of the binding constants and binding sites. From Equation 10-19, we obtain

$$r = \frac{nK_a[D]}{1 + K_a[D]} \quad (10.19)$$

$$r + rK_a [D] = nK_a [D]$$

$$r = nK_a [D] - rK_a [D] \quad (10-23)$$

$$r/D = nK_a - rK_a$$

- A graph constructed by plotting  $r/[D]$  versus  $r$  yields a straight line with the intercept and slope shown in Figure 10-15

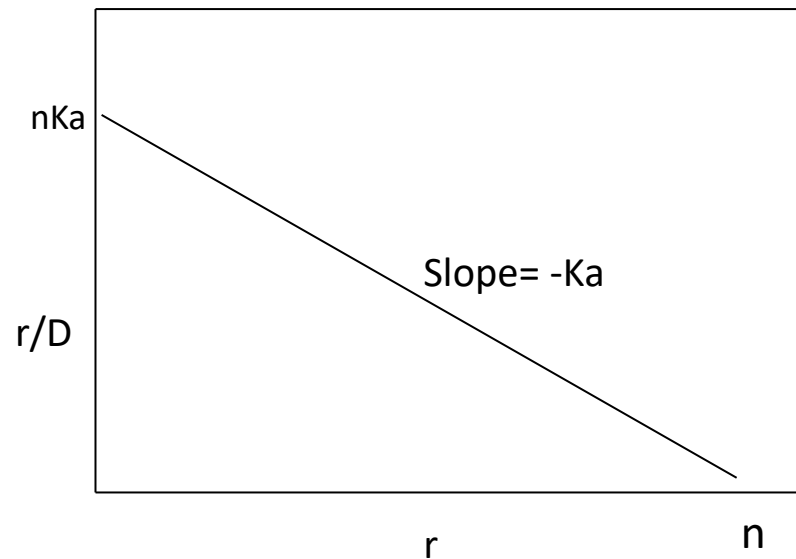


Figure 10-15. hypothetical binding of drug to protein.  
**The line was obtained with Scatchard equation**

- Some drug-protein binding data produce Scatchard graphs of curvilinear lines (Figure 10-17). The curvilinear line represents the summation of two straight lines that collectively form the curve.
- The binding of salicylic acid to albumin is an example of this type of drug-protein binding in which there are at least two different, independent, association constant ( $k_1$  and  $k_2$ ). Equation 10-21 best describes this type of drug-protein interaction.

$$r = \frac{n_1 K_1 [P]}{1 + K_1 [D]} + \frac{n_2 K_2 [P]}{1 + K_2 [D]} + \dots \quad (10.21)$$

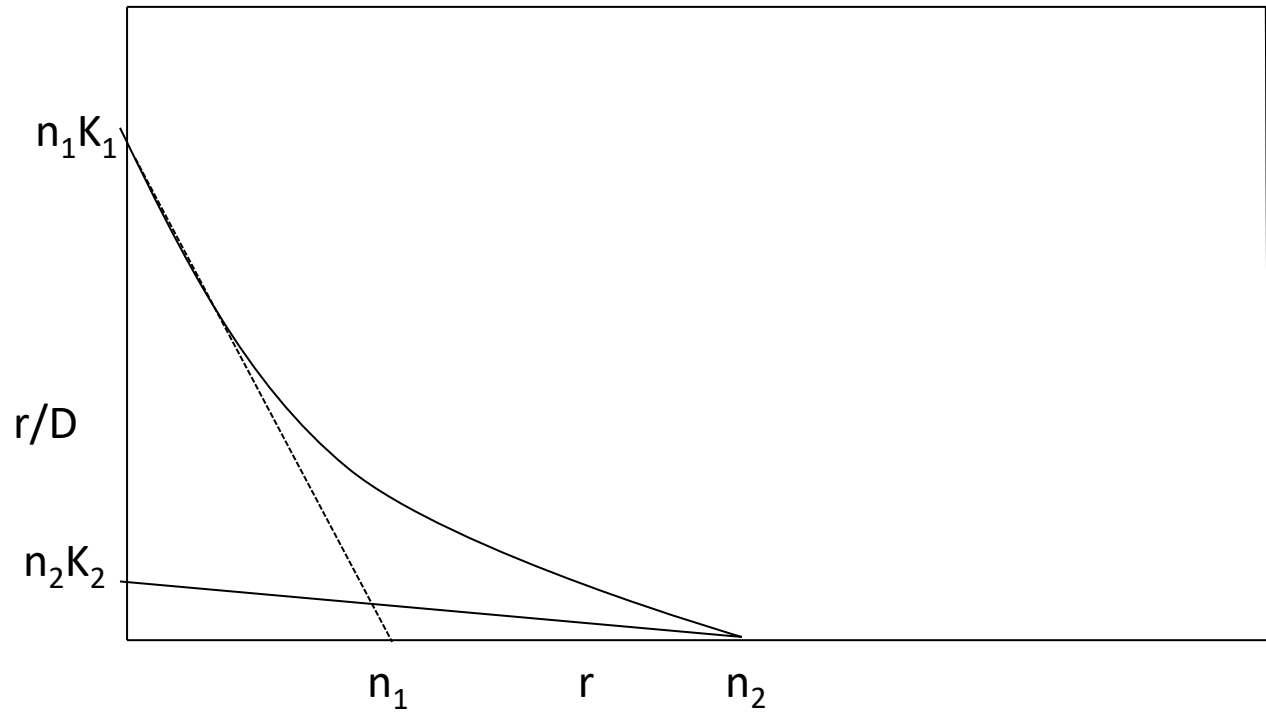


Figure 10-17. hypothetical binding of drug to protein.  
 The  $k$ 's represent independent binding constants and the  $n$ 's represent the number of binding site per molecule of protein.