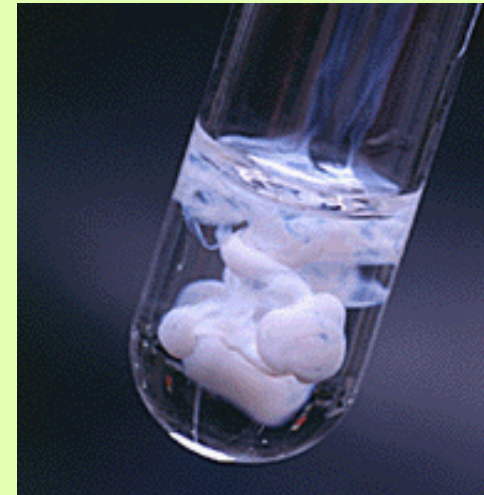
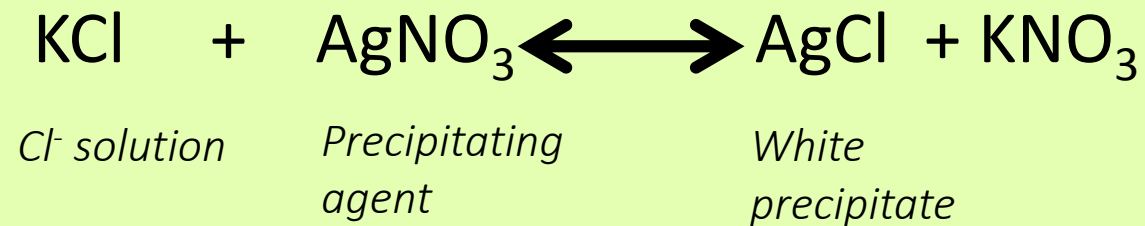




Precipitation Titration

Precipitation Reactions

- ❖ **Precipitation** is the formation of a solid in a solution
- ❖ solid formed is called the **precipitate**
- ❖ A **precipitation reaction** occurs when water solutions of two different ionic compounds are mixed and an insoluble solid separates out of solution.



- ❖ The precipitate is itself ionic; the cation comes from one solution and the anion from another.



Precipitation Titrations

- ***Precipitation titration*** is a titration method based on the formation of precipitate, which is slightly soluble
- **The basic requirements are:**
 - The reaction must be sufficiently rapid and complete,
 - lead to a product of reproducible composition and of low solubility.
 - And a method must exist to locate the end point.
- **Precipitation titrations are not so popular in present-day routine analysis. Why????**

Some difficulties in meeting these requirements must be noted. (Precipitation reactions are generally)

 - *Slow*
 - *Involving periods of digestion, cooling, filtration etc.*
 - *This tends to limit the reactions that are available for titration.*

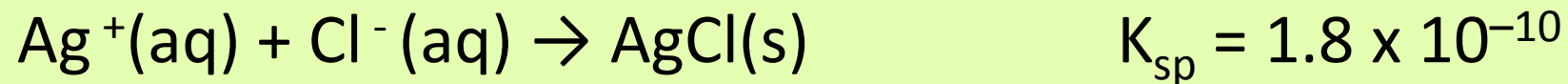


Argentometric titration:

- Titrations involving **silver** are termed argentometric, from the Latin name for silver, *argentum*.
- **The major precipitation reaction used is that of silver with a range of anions. These anions include:**
 - ✓ Halides (Cl^- , Br^- , I^-)
 - ✓ Pseudo halides (S^{2-} , HS^- , CN^- , SCN^-)
- The reaction rates for the silver salt precipitation is **rapid**.
- The reaction ratio is **1:1** and silver salts formed are generally quite **insoluble**.
- Argentometric methods involving precipitation **titrimetry**:
 - *Mohr's Method*
 - *Fajan's Method*
 - *Volhard's Method*

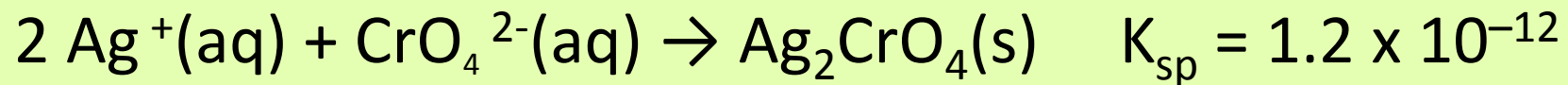
Mohr's Method:

- This **direct method** uses potassium chromate (**chromate ions (CrO_4^{2-})**) as an **indicator** in the titration of (**Cl^- , Br^- , and CN^-**) ions (analyte) with a **silver nitrate standard solution (titrant)**.
- After all the chloride has been precipitated as **white silver chloride**, the first excess of titrant results in the formation of a **silver chromate precipitate**,
- which signals the end point . The reactions are:

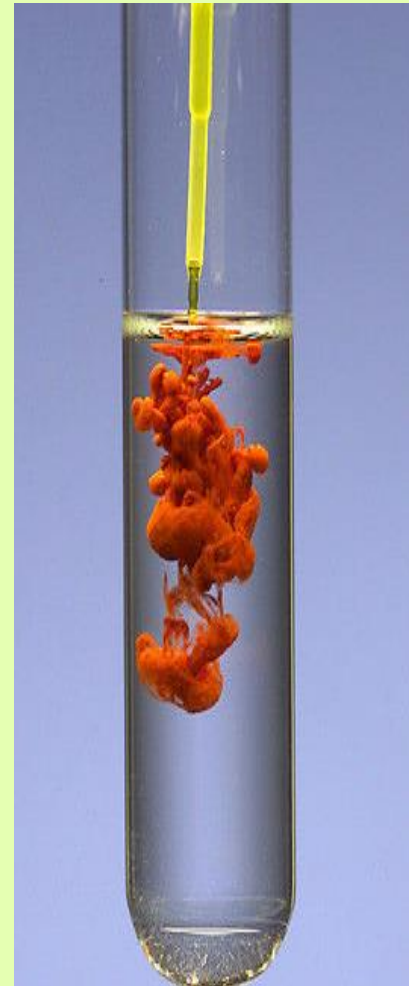


white precipitate

- End point determination by **brick red color precipitate**, $\text{Ag}_2\text{CrO}_4(\text{s})$:



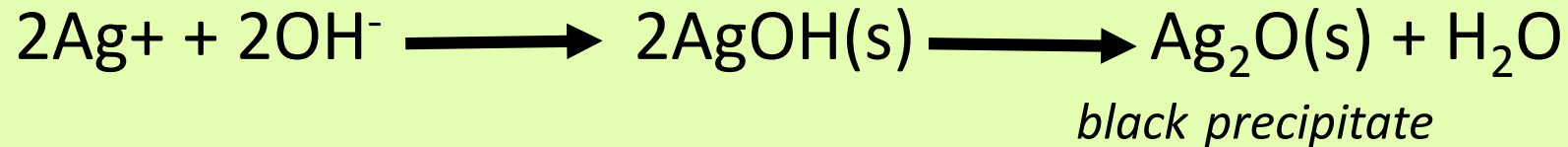
- AgCl is **less soluble than** Ag_2CrO_4 so it will precipitate first



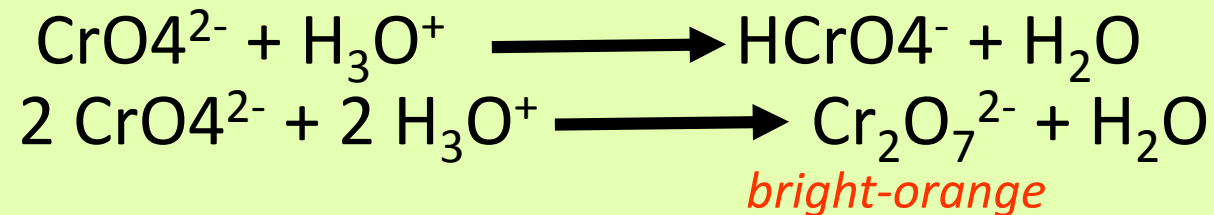


Conditions for Mohr's method:

- The titrations are performed only in neutral or slightly basic medium to prevent silver hydroxide formation (at pH > 10).



- Or the formation of chromic acid at pH < 7.



- Reducing $[\text{CrO}_4^{2-}]$ will delay the formation of the precipitate although more Ag^+ to be added to reach end point, which cause error.



Volhard method:

- This method uses a **back titration** with potassium thiocyanate and is suitable for the determination of (**Cl⁻, Br⁻, and I⁻**) in **acidic solutions**.

- First, Cl⁻ is precipitated by excess AgNO₃



- Removing AgCl(s) by filtration / washing

- Excess Ag⁺ is titrated with KSCN in the presence of Fe³⁺



- When Ag⁺ has been consumed, a **red complex** forms as a result of:



Red complex

The Volhard titration can be used for any anion that forms an insoluble salt with silver

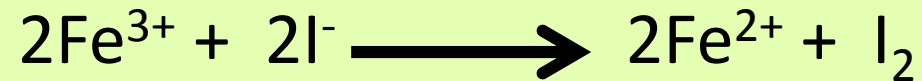


• Conditions for Volhard's method:

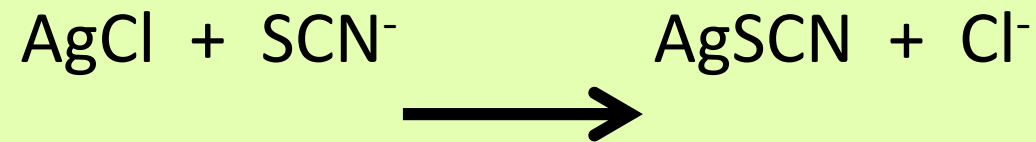
- The solution must be **acidic**, with a concentration of about 1 M in nitric acid to ensure the **complex formed is stable**, and to prevent the precipitation of Iron(III) as hydrated oxide.

• The indicator concentration should not be *more than 0.2M*.

- In case of I⁻, indicator should not be added until all the I⁻ is precipitated with Ag⁺, since it would be **oxidized by the Fe(III)**.



The AgX ↓ precipitate *must be* filtered off, before titrating with SCN⁻ to prevent any error, for example in the case of chloride ion, AgCl will react with the titrant (SCN⁻) and cause a diffuse end point.



OR

Use tartrazine as indicator instead of Iron(III) .

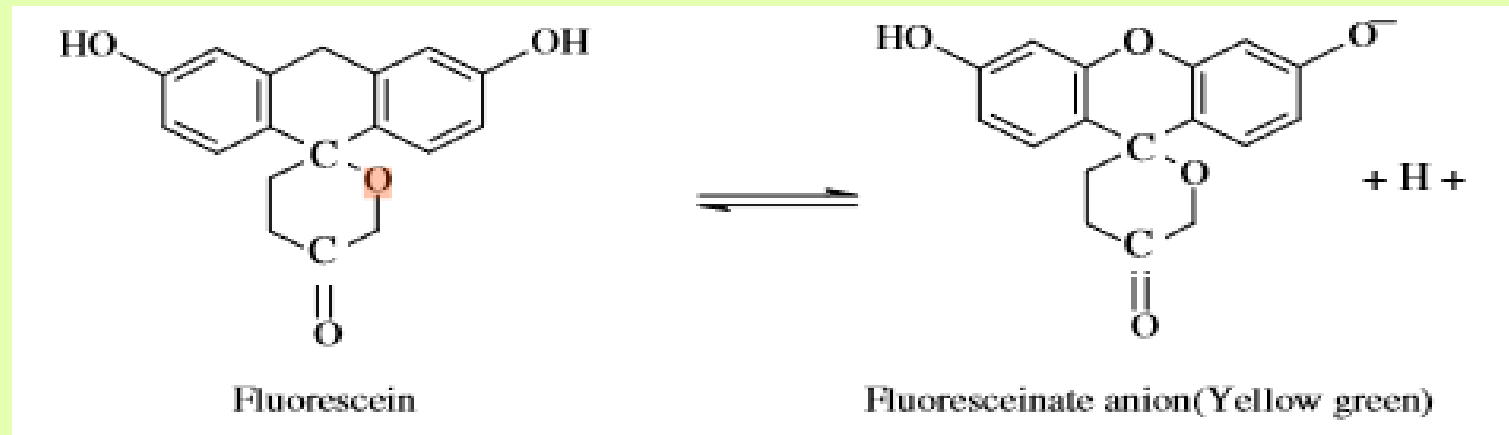


Fajan's Method

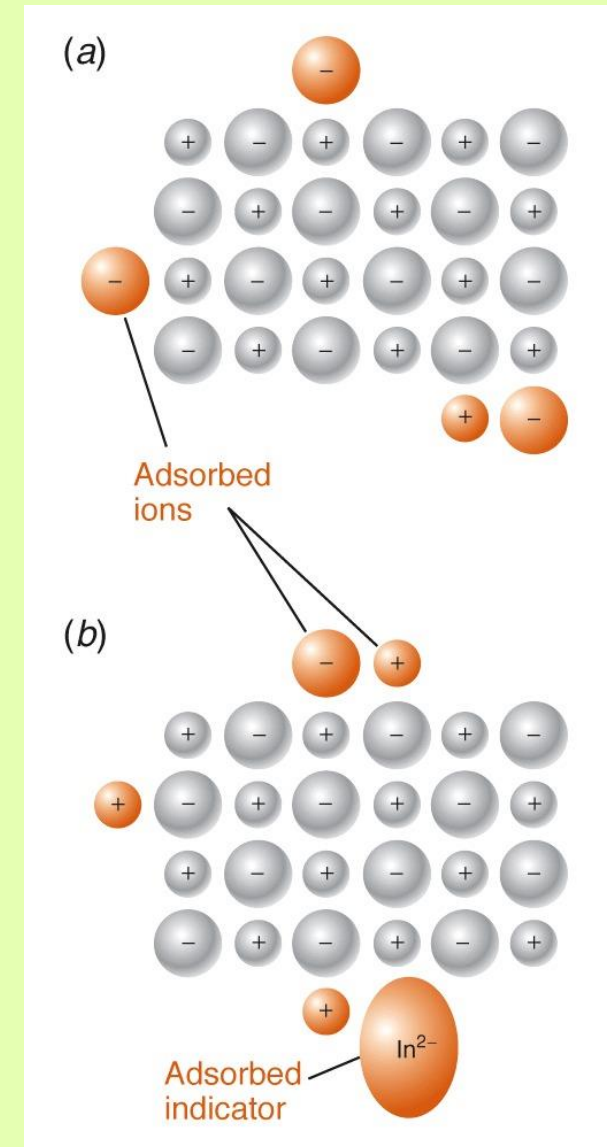
- This method uses an **adsorption indicator** such of **Fluorescein (Dichlorofluorescein)** and **Eosin**.
- The indicator **adsorb onto the surface of the silver salt precipitate** at the **endpoint**.
- The adsorption process causes a **change in the color of the indicator**.
- Common Fajans adsorption **indicators** are **weakly acidic organic compounds** and in **alkaline conditions** will exist as the **conjugate base, (or Ind⁻)**.
- This form of the indicator which interacts with the precipitate.

The mechanism of indicators action:

- The best-known adsorption indicator is *fluorescein*, which is used to indicate the **equivalence point** in the titration of Cl^- with Ag^+ . Fluorescein is a weak acid, which partially dissociates in water to form fluoresceinate anion.



- The fluoresceinate anion has a yellow-green colour in solution.





- When Cl^- is titrated with Ag^+ in the presence of fluorescein, the **negatively charged fluoresceinate anions** are **initially repelled** by the **negatively charged AgCl colloidal particles**, with their primary adsorption layer of Cl^- ions.
- Thus the **fluorescein** remains in a yellow–green colour prior to the equivalence point.
- **At the equivalence point**, the colloidal AgCl particles undergo an abrupt change from a **negative charge** to a **positive charge** by **virtue of Ag^+ ions adsorbed in the primary adsorption layer**.
- The **fluoresceinate ions** are strongly **adsorbed** in the counter–ion layer of the AgCl colloids, giving these particles a **red colour** and providing an **end point colour change** from **yellow–green** to **red** or **pink**.



- Adsorption indicator whose color when adsorbed to the precipitate is different from that when it is in solution

Indicator	Solution	Surface of precipitate	Ions
Fluoroscein	greenish yellow	pink	Cl ⁻
Eosine	yellowish-red	redish - violet	Br ⁻ , I ⁻



Comparison of argentometric titration methods

Method	Advantages	Disadvantages
Mohr	Simple	<ul style="list-style-type: none">Alkaline solution onlyNot suitable for I^-Requires a blank
Volhard	<ul style="list-style-type: none">Capable for direct Ag^+ and indirect halide analysesVery clear colour change	<ul style="list-style-type: none">Must use 1M of nitric acid solutionSome problems with some ions
Fajans	<ul style="list-style-type: none">Capability for different pH ranges and selectivity with different indicators	<ul style="list-style-type: none">Difficult with dilute solutionsShould not be a high background ionic level



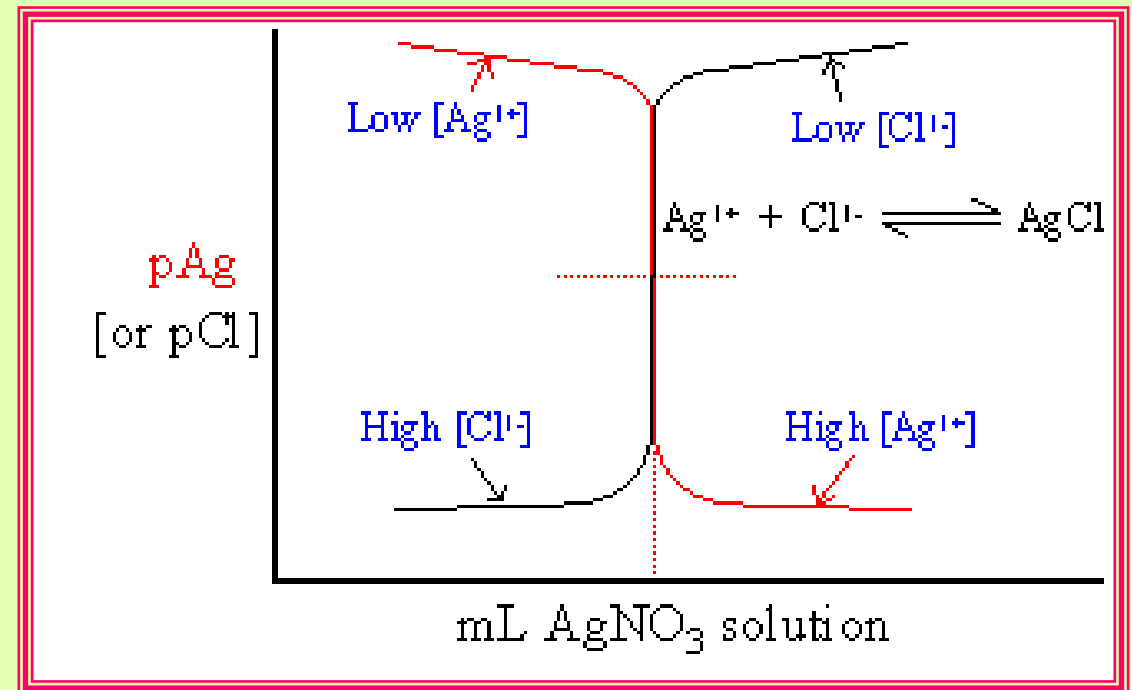
Titration Curves for Argentometric Methods

Plots of titration curves are normally sigmoidal curves consisting of pAg (or pAnalyte) versus volume of AgNO₃ solution added.

Example: Titration of chloride with silver.

A useful relationship can be derived by taking the negative logarithm of both sides of a solubility-product expression. Thus, for silver chloride,

$$\begin{aligned}K_{sp} &= [Ag^+][Cl^-] \\ \log K_{sp} &= -\log([Ag^+][Cl^-]) \\ \log K_{sp} &= -\log[Ag^+] - \log[Cl^-] \\ pK_{sp} &= pAg^+ + pCl^-\end{aligned}$$



The points on the curve can be calculated, given the analyte concentration, AgNO₃ concentration and the appropriate K_{sp}.



Plotting precipitation titration curves

- Consider titration of Cl^- with a standard solution of AgNO_3 .
- Titration curve prepared by plotting pCl ($-\log[\text{Cl}^-]$) against the volume of AgNO_3 in a manner similar to acid-base titration.
- **Before titration started** – only have Cl^- .

$$\text{pCl} = -\log[\text{Cl}^-]$$

- **Titration proceed** – part of Cl^- is removed from solution by precipitation as AgCl .

$$\text{pCl} = -\log [\text{remaining Cl}^-]$$

- **At equivalence point** - we have solution a saturated solution of AgCl .

$$[\text{Cl}^-] = \sqrt{K_{\text{sp}}}$$

- **Excess AgNO_3 added** – excess Ag^+ . $[\text{Cl}^-]$ is determine from the concentration of Ag^+ and K_{sp} .

$$[\text{Cl}^-] = K_{\text{sp}}/[\text{Ag}^+]$$



Example

Calculate pCl for the titration of 100.0 ml 0.100 M NaCl with 0.100 M AgNO₃ for the addition of 0.0, 20.0, 99.0, 99.5, 100.0 and 110.0 ml AgNO₃.
K_{sp} AgCl is 1.0 x10⁻¹⁰

Solution

a) Addition of 0.0 ml Ag⁺

$$[\text{Cl}^-] = 0.100 \text{ M}$$

$$\text{pCl} = -\log [\text{Cl}^-]$$

$$= -\log 0.100$$

$$= \mathbf{1}$$

b) Addition of 20.0 ml Ag⁺

$$\text{Initial mmol Cl}^- = 100.0 \text{ ml} \times 0.100 \text{ M} = 10.0 \text{ mmol}$$

$$\text{mmol added Ag}^+ = 20.0 \text{ ml} \times 0.100 \text{ M} = 2.0 \text{ mmol}$$

$$\text{mmol Cl}^- \text{ left} = \mathbf{8.0 \text{ mmol}}$$

$$[\text{Cl}^-] \text{ left} = \frac{\mathbf{8.0}}{(100+20) \text{ ml}} = 0.0667 \text{ M}$$

$$\text{pCl} = -\log [\text{Cl}^-]$$

$$= -\log 0.0667$$

$$= \mathbf{1.18}$$



c) Addition of 99.0 ml Ag

$$\begin{aligned}\text{Initial mmol Cl}^- &= 100.0 \text{ ml} \times 0.100 \text{ M} = 10.0 \text{ mmol} \\ \text{mmol added Ag}^+ &= 99.0 \text{ ml} \times 0.100 \text{ M} = 9.9 \text{ mmol} \\ \text{mmol Cl}^- \text{ left} &= \mathbf{0.1} \text{ mmol}\end{aligned}$$

$$[\text{Cl}^-] \text{ left} = \frac{\mathbf{0.1}}{(100+99)\text{ml}} = 5.01 \times 10^{-4} \text{ M}$$

$$\begin{aligned}\text{pCl} &= -\log [\text{Cl}^-] \\ &= -\log 5.01 \times 10^{-4} \\ &= \mathbf{3.3}\end{aligned}$$

d) Addition of 100.0 ml

$$\begin{aligned}\text{Initial mmol Cl}^- &= 100.0 \text{ ml} \times 0.100 \text{ M} = 10.0 \text{ mmol} \\ \text{mmol added Ag}^+ &= 100.0 \text{ ml} \times 0.100 \text{ M} = 10.0 \text{ mmol}\end{aligned}$$

Equivalence point is reached. The solution contains saturated AgCl solution

$$K_{sp} = [\text{Ag}^+][\text{Cl}^-] = 1.0 \times 10^{-10}$$

$$[\text{Cl}^-] = \sqrt{K_{sp}} = \sqrt{1.0 \times 10^{-10}}$$

$$= 1.0 \times 10^{-5}$$

$$\text{pCl} = -\log 1.0 \times 10^{-5}$$

$$= \mathbf{5}$$



e) Addition of 100.5 ml Ag⁺

Initial mmol Cl = 100.0 ml x 0.100 M = 10.0 mmol

mmol added Ag⁺ = 100.5 ml x 0.100 M = 10.05 mmol

mmol Ag⁺ excess = **0.05 mmol**

[Ag⁺] excess = **0.05/200.5 ml** = 2.5 x 10⁻⁴ M

$K_{sp} = [Ag^+][Cl^-] = 1.0 \times 10^{-10}$

$$[Cl^-] = \frac{K_{sp}}{[Ag^+]} = \frac{1.0 \times 10^{-10}}{2.5 \times 10^{-4} \text{ M}} = 4.0 \times 10^{-7}$$

pCl = - log 4.0 x 10⁻⁷

= **6.4**