Conversion Factors

DIMENSION	SI	SI/ENGLISH
Acceleration	$1 \text{ m/s}^2 = 100 \text{ cm/s}^2$	$1 \text{ m/s}^2 = 3.2808 \text{ ft/s}^2$
Area	$1 \text{ m}^2 = 10^4 \text{ cm}^2 = 10^6 \text{ mm}^2$ $= 10^{-6} \text{ km}^2$	$1 \text{ m}^2 = 1550 \text{ in}^2 = 10.764 \text{ ft}^2$ $1 \text{ ft}^2 = 144 \text{ in}^2 = 0.092903 \text{ m}^2$
Density	$1 \text{ g/cm}^3 = 1 \text{ kg/L} = 1000 \text{ kg/m}^3$	$1 \text{ g/cm}^3 = 62.428 \text{ lbm/ft}^3 = 0.036127 \text{ lbm/in}$ $1 \text{ lbm/in}^3 = 1728 \text{ lbm/ft}^3$
Energy, heat, work	$1 \text{ kJ} = 1000 \text{ J} = 1000 \text{ Nm} = 1 \text{ kPa·m}^3$ $1 \text{ kJ/kg} = 1000 \text{ m}^2/\text{s}^2$ $1 \text{ kWh} = 3600 \text{ kJ}$	$1 \text{ kJ} = 0.94783 \text{ Btu}$ $1 \text{ Btu} = 1.05504 \text{ kJ}$ $= 5.4039 \text{ psia·ft}^3$ $= 778.16 \text{ lbf·ft}$ $1 \text{ Btu/lbm} = 25{,}037 \text{ ft}^2/\text{s}^2 = 2.326 \text{ kJ/kg}$ $1 \text{ kJ/kg} = 0.430 \text{ Btu/lbm}$ $1 \text{ kWh} = 3412.2 \text{ Btu}$
Force	$1 \text{ N} = 1 \text{ kg·m/s}^2$	$1 \text{ lbf} = 32.174 \text{ lbm·ft/s}^2$ $1 \text{ N} = 0.22481 \text{ lbf}$
Length	$1 \text{ m} = 100 \text{ cm} = 1000 \text{ mm}$ $1 \text{ km} = 1000 \text{ m}$	$1 \text{ m} = 39.370 \text{ in} = 3.2808 \text{ ft} = 1.0936 \text{ yd}$ $1 \text{ ft} = 12 \text{ in} = 0.304800 \text{ m}$ $1 \text{ mile} = 5280 \text{ ft} = 1.6093 \text{ km}$
Mass	$1 \text{ kg} = 1000 \text{ g}$ $1 \text{ metric ton} = 1000 \text{ kg}$	$1 \text{ kg} = 2.2046226 \text{ lbm}$ $1 \text{ lbm} = 0.45359237$ $1 \text{ slug} = 32.174 \text{ lbm} = 14.5939 \text{ kg}$ $1 \text{ short ton} = 2000 \text{ lbm}$

DIMENSION	SI	SI/ENGLISH

Power	1 W = 1 J/s
	1 kW = 1000 W = 1.341 hp
		1 kW = 3412.2 Btu/h
		      = 0.73756 lbf·ft/s
		1 hp = 550 lbf·ft/s = 0.7068 Btu/s
		      = 42.41 Btu/min = 2544.5 Btu/h
		      = 0.74570 kW

Pressure	1 Pa = 1 N/m²
	1 kPa = 10^3 Pa = 10^{-3} MPa
	1 atm = 101.325 kPa
	      = 1.01325 bars
	      = 760 mmHg at 0°C
		1 Pa = 1.4504×10^{-4} psia
		      = 0.020886 lbf/ft²
		1 psia = 144 lbf/ft²
		1 atm = 14.696 psia
		      = 29.92 inHg at 32°F

Specific Heat	1 kJ/(kg·°C) = 1 kJ/(kg·K)
	              = 1 J/(g·°C)
		1 Btu/(lbm·°F) = 4.1868 kJ/(kg·°C)
		1 kJ/(kg·°C) = 0.23885 Btu/(lbm·°F)
		              = 0.23885 Btu/(lbm·R)

Specific Volume	1 m³/kg = 1000 L/kg = 1000 cm³/g	1 m³/kg = 16.02 ft³/lbm
Temperature	T (K) = T (°C) + 273.15 ΔT (K) = ΔT (°C)	T (R) = T (°F) + 459.67 T (°F) = 1.8 T (°C) + 32 ΔT (°F) = ΔT (R) = 1.8 ΔT (K)
Velocity	1 m/s = 3.60 km/h	1 m/s = 3.2808 ft/s = 2.237 mi/h 1 mi/h = 1.609 km/h
Volume	1 m³ = 1000 L = 10^6 cm³ (cc)	1 m³ = 6.1022×10^4 in³ = 35.313 ft³ = 264.17 gal (U.S.) 1 U.S. gallon = 231 in³ = 3.7853 L

Chapter 1

Basic concepts of thermodynamics

In this chapter the unit systems that will be used are reviewed, and **the basic concepts of thermodynamics** such as system, energy, property, state, process, cycle, pressure, and temperature are explained.

1-1. Thermodynamics and energy

Thermodynamics can be defined as the science of energy. Energy can be viewed as the capacity to work or as the ability to cause changes.

One of the most fundamental laws of nature is the conservation of energy principle. It simply states that during an interaction, **energy can change from one form to another but that the total amount of energy remains constant**. That is, **energy** cannot be created or destroyed. A rock falling off a cliff, for example, picks up speed as a result of its potential energy being converted to kinetic energy (**Fig. 1-1**).
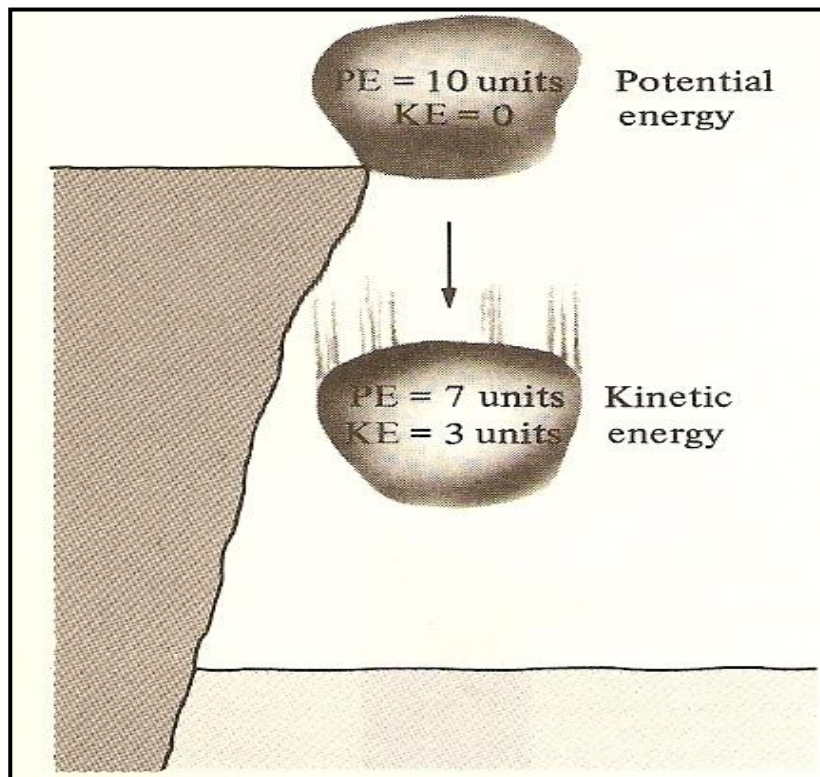

Figure 1-1, Energy cannot be created or destroyed; it can only change forms (**the first law**).

Thermodynamics deals with the conversion of energy from one form to another. It also deals with various properties of substances and the changes in these properties as a result of energy transformations. The **first law of thermodynamics**, for example, is simply an expression of the conservation of energy principle. The **second law of thermodynamics** asserts that processes occur in a certain direction but not in the reverse direction. A cup of hot coffee left on a table in an office, for example, eventually cools, but a cup of cool coffee on the same table never gets hot by itself (**Fig.1-3**).
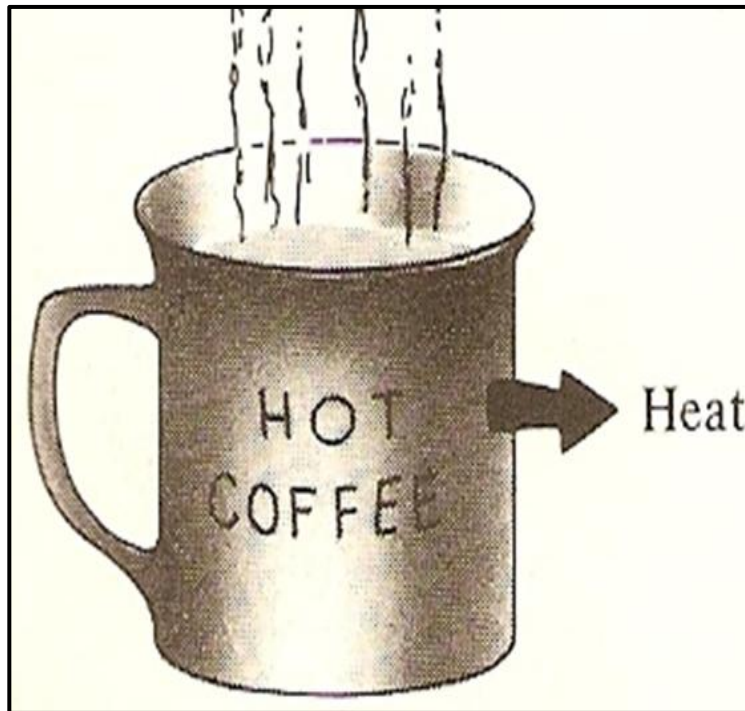

Figure 1-3. Heat can flow only from hot to cold bodies (**the second law**).

Application Areas of Thermodynamics

Every engineering activity involves an interaction between energy and matter, thus it is hard to imagine an area which does not relate to thermodynamics in some respect. An ordinary house is, in some respects, an exhibition hall filled with thermodynamics wonders. Some examples include the electric or gas range, the heating and air-conditioning systems,

the refrigerator, the humidifier, the pressure cooker, the water heater, the shower, the iron, and even the computer, the TV, and VCR set.

On large scale, thermodynamics plays a major part in the design and analysis of automotive engines, rockets, jet engines, and conventional or nuclear power plants (Fig.1-4). We should also mention the human body as an interesting application area of thermodynamics.
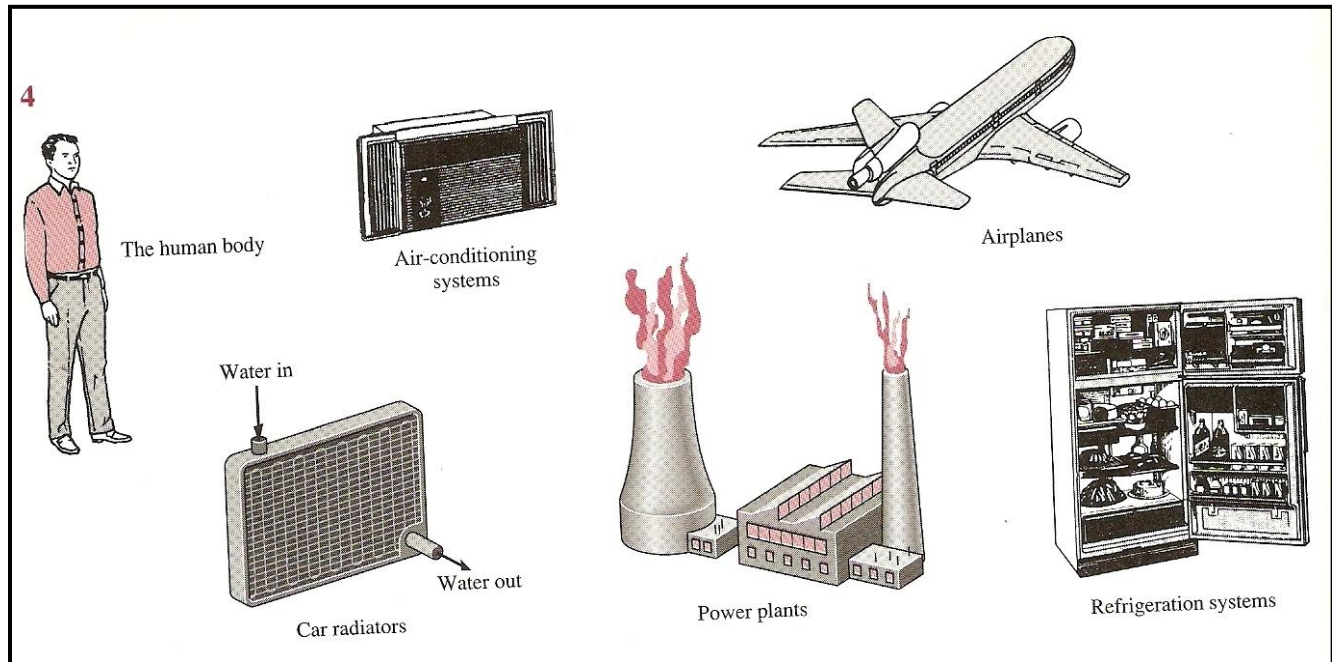

Figure 1-4. Some applications areas of thermodynamics.

1-2. A note on dimensions and units

Any physical quantity can be characterized by dimensions. The arbitrary magnitudes assigned to the dimensions are called units. Some basic dimensions such as mass m, length L, time t, and temperature T are selected as primary or fundamental dimensions, while others such as velocity V, energy E, and volume V are expressed in terms of the primary dimensions and are called secondary dimensions, or derived dimensions. In 1960, the General Conference of and Measurements (CGPM) produced the SI, which was based on six fundamental quantities and their units adopted in 1954 at the Tenth CGPM: meter (m) for length, kilogram (kg) for mass, second (s) for time, ampere (A) for electrical current, degree Kelvin (K) for temperature, and candela (cd) for luminous intensity (amount of

light). In **1971**, the CGPM added a **seventh** fundamental quantity and unit: *mole* **(mol)** for the amount of matter (**Table 1-1**).

Table 1-1. The seven fundamental dimensions and their units in **SI**.

Dimension	Unit
Length	meter (m)
Mass	kilogram (kg)
Time	second (s)
Temperature	kelvin (K)
Electric current	ampere (A)
Amount of light	candela (c)
Amount of matter	mole (mol)

A number of unit systems have been developed over the years. Two sets of units are still in common use today: the **English system** which is also known as the *United States Customary System* (USCS) and the **metric SI** which also known as the *International System*. The **SI** is a simple and logical system based on a decimal relationship between the various units, and it is being used for scientific and engineering work in most of the industrialized nations, including England. The **English system**, however, has no numerical base, and various units in this system are related to each other rather arbitrarily (**12 in** in **1 ft**, **16 oz** in **1 lb**, **4 qt** in **1 gal**, etc.) which makes it confusing and difficult to learn.

As pointed out earlier, the **SI** is based on decimal relationship between units. The **prefixes** used to express the multiples of the various units are listed in (**Table 1-2**).

Table 1-2. Standard prefixes in SI units.

Multiple	Prefix
10^{12}	tetra, T
10^9	giga, G
10^6	mega, M
10^3	kilo, k
10^2	hecto, h
10^1	deka, da
10^{-1}	deci, d
10^{-2}	centi, c
10^{-3}	milli, m
10^{-6}	micro, μ
10^{-9}	nano, n
10^{-12}	pico, p

Some SI and English Unites

In **SI**, the unites of **mass**, **length**, and **time** are the kilogram (**kg**), meter (**m**), and second (**s**), respectively. The respective unites in the **English system** are the pound-mass (**lbm**), foot (**ft**), and second (**s or sec**). The **mass** and **length** unites in the two systems are related to each other by:

1 lbm = 0.45359 kg

1 ft = 0.3048 m

In the **English system**, **force** is usually considered to be one of the primary dimensions and is assigned a nonderived unit. This is a source of confusion and error that necessitates the use of a conversion factor (g_c) in many formulas. To avoid this nuisance, we consider **force** to be a **secondary dimension** whose unit is derived from **Newton's second law**, i.e.,

$$\text{Force} = (\text{mass})(\text{acceleration})$$

$$F = ma \hspace{4cm} (1\text{-}1)$$

or

In **SI**, the force unit is the **newton (N)**, and is defined as *the force required to accelerate a mass of 1 kg at a rate of 1 m/s^2*. In the **English system**, the force unit is the **pound-force (lbf)** and is defined as *the force required to accelerate a mass of 32.174 lbm (1 slug) at a rate of 1 ft/s^2*.

That is,

$$1 \text{ N} = 1 \text{ kg.m/s}^2$$

$$1 \text{ lbf} = 32.174 \text{ lbm.ft/s}^2$$

The term **weight** is often incorrectly to express **mass**, particularly by the "weight watchers". Unlike mass, weight *W* is a *force*. It is the gravitational force applied to a body, and its magnitude is determined from **Newton's second law**,

$$W = mg \quad (\text{N}) \hspace{4cm} (1\text{-}2)$$

Where *m* is the mass of the body and **g** is the local gravitational acceleration (**g** is 9.807 **m/s^2** or 32.174 **ft/s^2** at sea level and **45°** latitude). The **weight of a unit volume** of a substance is called the specific weight *w* and is determined from *w = ρg*, where *ρ* is density.

1-3. Closed and open systems

Thermodynamic system, or simply a **system,** is defined as *a quantity of matter or a region in space chosen for study.* The region outside the system is called the **surroundings.** The real or imaginary surface that separates the system from its surroundings is called the **boundary.** These terms are illustrated in (**Fig. 1-14**). The **boundary** of a system can be *fixed or movable.*
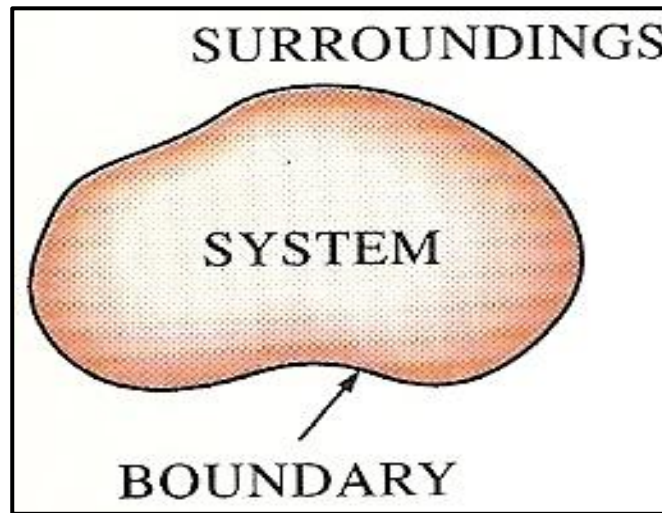
Figure 1-14. System, surrounding, and boundary.

Systems may be considered to be *closed* or *open*. A **closed system** also known as a (**control mass**) consists of a fixed amount of mass (**Fig. 1-15**).

A **open system**, or a (**control volume**), as it is often called, is a properly selected region in space. It usually encloses a device which involves **mass flow** such as a **compressor**, **turbine**, or **nozzle**. Flow through these devices is not best studied by selecting the region within device as the **control volume**. Both **mass** and **energy** can cross the boundary of a control volume, which is called a **control surface**. This is illustrated in (**Fig. 1-17**).
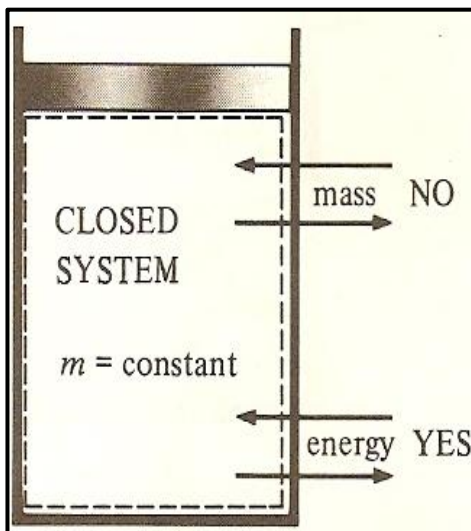
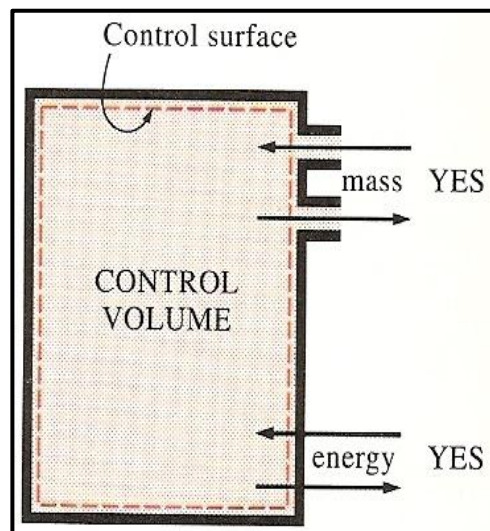**Figure 1-15**. Mass cannot cross the boundary of a closed close system, but energy can.

Figure 1-17. Both mass and energy can cross the boundaries of a control volume.

1-4. Forms of energy

Energy can exist in numerous forms such as **thermal**, **mechanical**, **kinetic**, **potential**, **electrical**, **magnetic**, **chemical**, and **nuclear**, and their sum constitutes the **total energy** *E* of the system. The **total energy** of a system on a **unit mass** basis is denoted by *e* and is defined as:

$$e = \frac{E}{m} \qquad \text{(kJ/kg)} \qquad\qquad (1\text{-}3)$$

In thermodynamic analysis, it is often helpful to consider the various forms of energy that make up the **total energy** of a system in two groups: *macroscopic* and *microscopic*. The **macroscopic** forms of energy, on one hand, are those a system possesses as a whole with respect to some outside reference frame, such as **kinetic** and **potential energies** (**Fig. 1-19**).
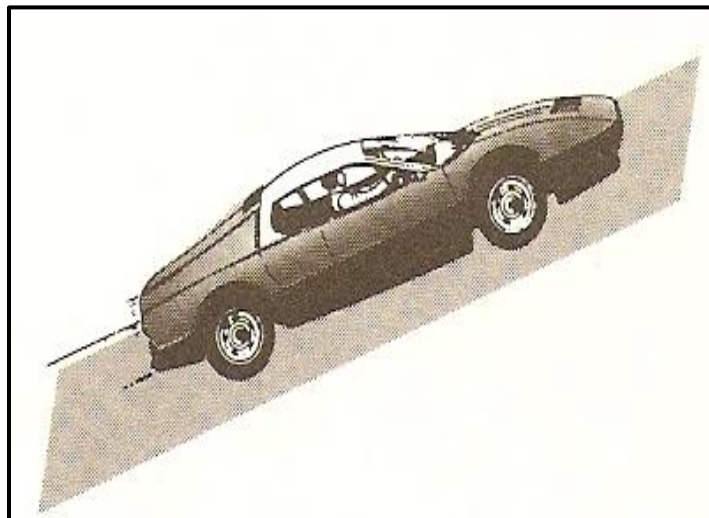

Figure 1-19. The macroscopic energy of an object changes with **velocity** and **elevation**.

The **microscopic forms** of energy, on the other hand, are those related to the **molecular structure** of a system and **the degree of the molecular activity**, and they are independent of outside reference frames. The **sum** of all the **microscopic forms of energy** is called the **internal energy** of a system and is denoted by *U*.

The **macroscopic energy** of a system is related **to motion** and the influence of some **external effects** such as **gravity**, **magnetism**, **electricity**,

and **surface tension**. The energy that a system possesses as a result of **its motion** relative to some reference frame is called **kinetic energy KE**.

$$KE = \frac{mV^2}{2} \qquad \text{(kJ)} \qquad\qquad (1\text{-}4)$$

or, on a unit mass basis,

$$ke = \frac{V^2}{2} \qquad \text{(kJ/kg)} \qquad\qquad (1\text{-}5)$$

where, *m* = mass, and **V** = velocity

The energy that a system possesses as a result of **its elevation** to some fixed reference frame is called **potential energy PE**:

$$PE = mgz \qquad \text{(kJ)} \qquad\qquad (1\text{-}6)$$

Or, on a unit mass basis,

$$pe = gz \qquad \text{(kJ/kg)} \qquad\qquad (1\text{-}7)$$

where,   **g** = gravitational acceleration,   and **z** = elevation relative to selected reference place.

The **total energy** of a system consists of **internal**, **kinetic**, and **potential** energies:

$$E = U + KE + PE = U + \frac{mV^2}{2} + mgz \quad \text{(kJ)} \qquad\qquad (1\text{-}8)$$

or, on a **unit mass** basis,

$$e = u + ke + pe = u + \frac{V^2}{2} + gz \qquad \text{(kJ/kg)} \qquad\qquad (1\text{-}9)$$

Most **closed systems** remain **stationary** during a process and thus experience **no change** in their **kinetic** and **potential energies**.

The **internal energy** of the system is the **sum of all** forms of **the microscopic energies** (Fig. 1-21).
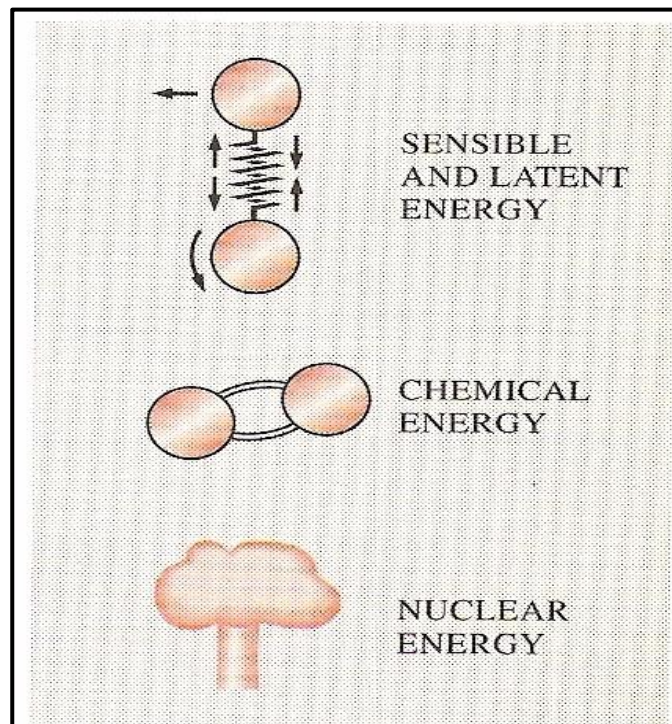
Figure 1-21. The internal energy of a system is the sum of all forms of the microscopic energies.

1-5. Properties of a system

Any characteristic of a system is called a property. Some familiar examples are pressure *P*, temperature *T*, volume *V*, and mass *m*. Properties are considered to be either *intensive* or *extensive*. Intensive properties are those which are independent of the size of a system such as temperature, pressure, and density. Extensive properties vary directly with the size-or extent-of the system. Mass *m*, volume *V*, and total energy *E* are some examples of extensive properties. An easy way to determine whether a property is intensive or extensive is to divide the system into two equal parts with a partition, as shown in (Fig.1-25).
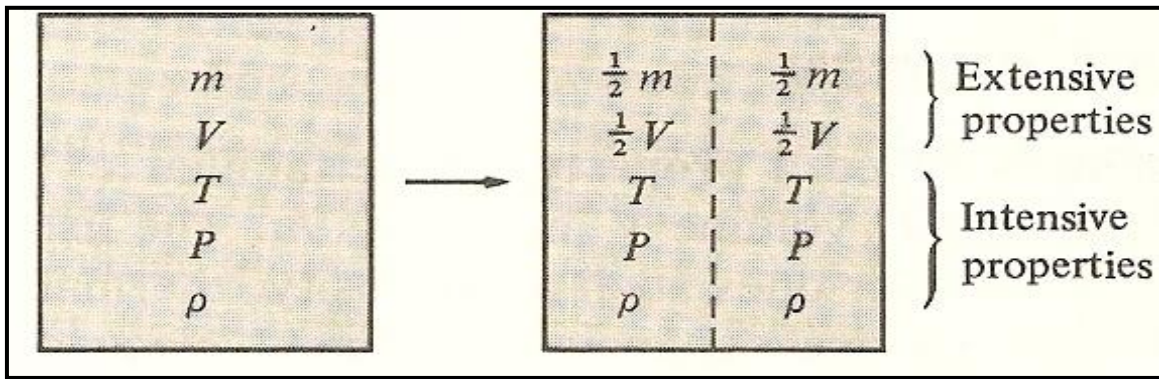
Figure 1-25. Criteria to different intensive and extensive properties.

1-6. State and equilibrium

Consider a system which is not undergoing any change. At this point, all the properties can be measured or calculated throughout the entire system. At a given **state**, all the properties of a system have fixed values, If the value of even **one property** changes, the **state** will change to a different one. In (**Fig. 1-26**) a system is shown in two different states.

Thermodynamics deals with **equilibrium states**. The word *equilibrium* implies a state of balance.

There are many types of equilibrium, and a system is not in **thermodynamic equilibrium** unless the conditions of all the relevant types of equilibrium. For example, a system is in **thermal equilibrium** if the temperature is the same throughout the entire system (**Fig. 1-28**).
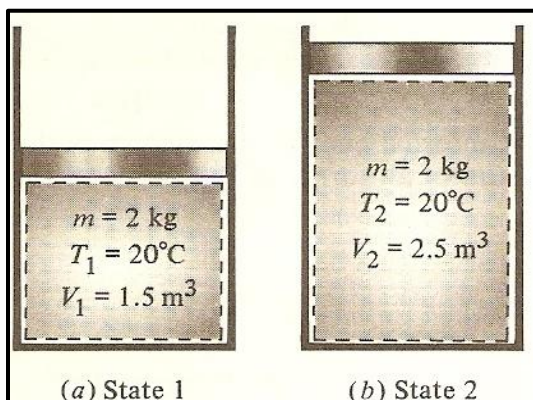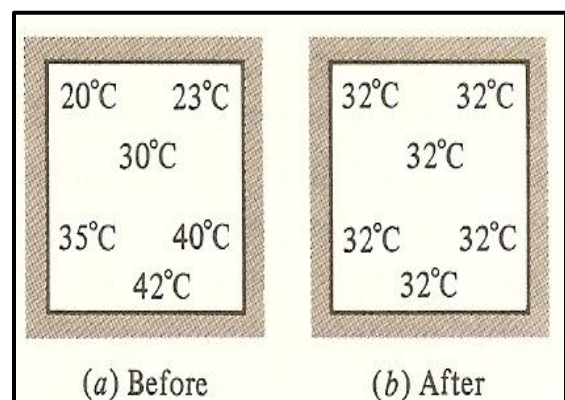

Figure 1-26. A system at two different states.

Figure 1-28. A closed system reaching thermal equilibrium..

1-7. Processes and cycles

Any change that a system undergoes from one equilibrium state to another is called a process, and the series of states through which a system passes during a process is called the path (Fig. 1-30).
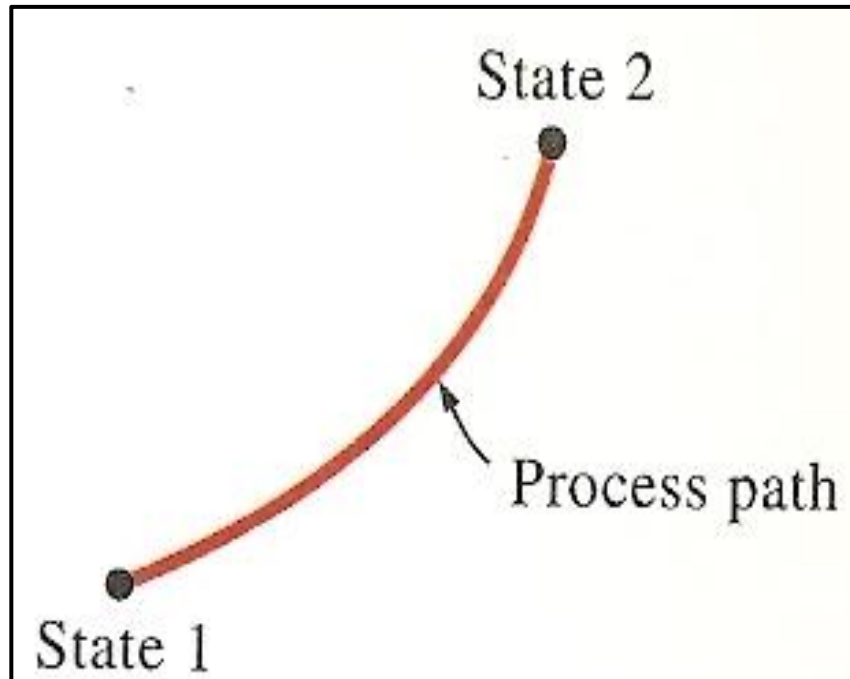

Figure 1-30. A process between state 1 and 2 and the process path.

When a process proceeds in such a manner that the system remains infinitesimally close to an equilibrium state at all times, it is called a quasi-static, or quasi-equilibrium, process. A quasi-equilibrium process can be viewed as a sufficiently slow which allows the system to adjust itself internally so that properties in one part of the system do not change any faster than those at other parts (Fig.1-31).
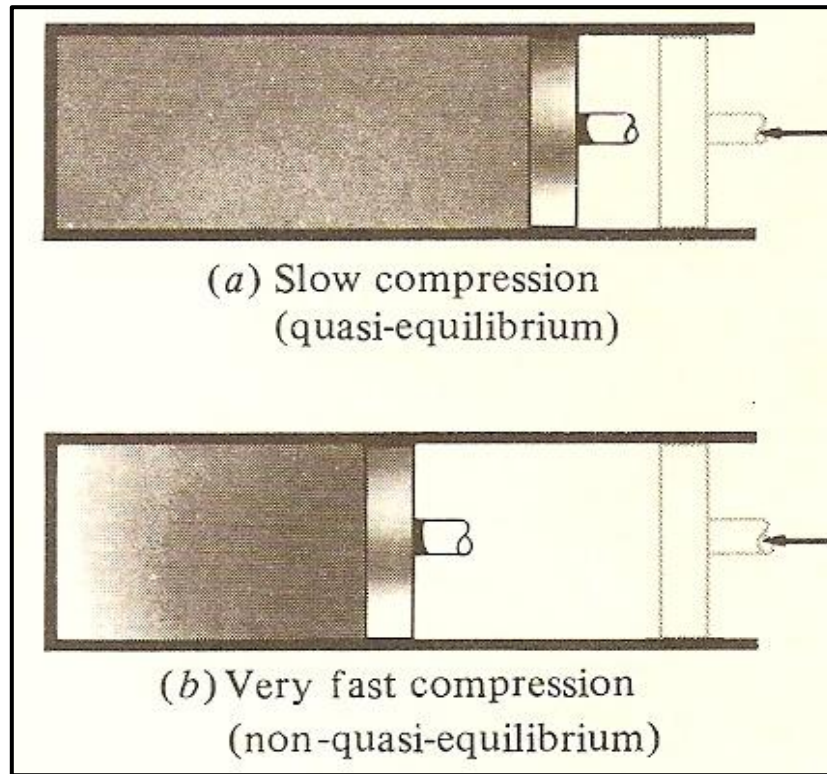
(a) Slow compression
(quasi-equilibrium)

(b) Very fast compression
(non-quasi-equilibrium)

Figure 1-31. Quasi-equilibrium and non-quasi-equilibrium processes.

A system is said to have undergone a **cycle** if it returns to its initial state at the end of the process. The cycle in (**Fig. 1-35a**) consists of **two processes**, and the one in (**Fig. 1-35b**) consists of **four processes**.
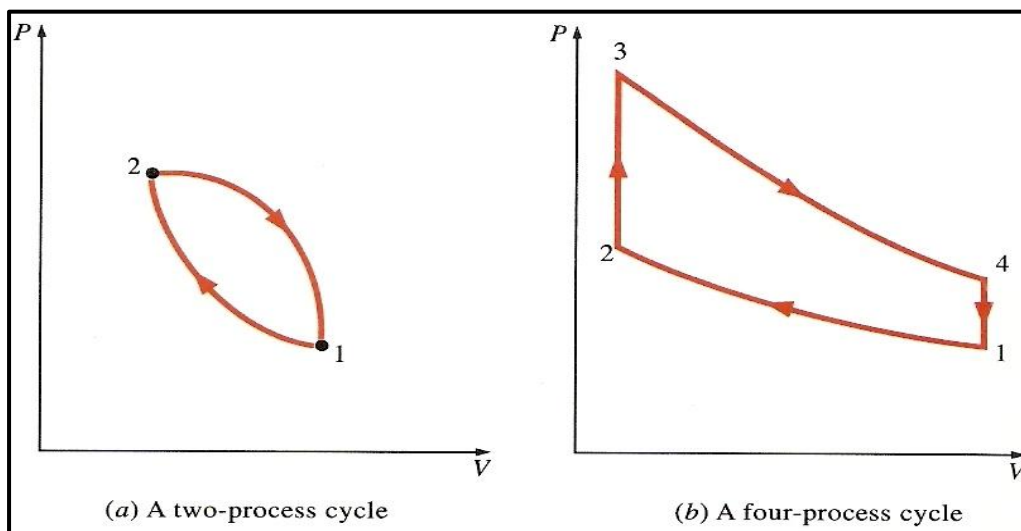

(a) A two-process cycle

(b) A four-process cycle

Figure 1-35. Two thermodynamic cycles.

1-9. Pressure

Pressure is *the force exerted by a fluid per unit area*. **We speak of pressure only when we deal with a gas or a liquid. The counterpart of pressure in solids is** *stress*. **For a fluid at rest, the pressure at a given point is the same in all directions. The pressure in a fluid increases with the depth as a result of the weight of the fluid, as shown in (Fig. 1-37).**
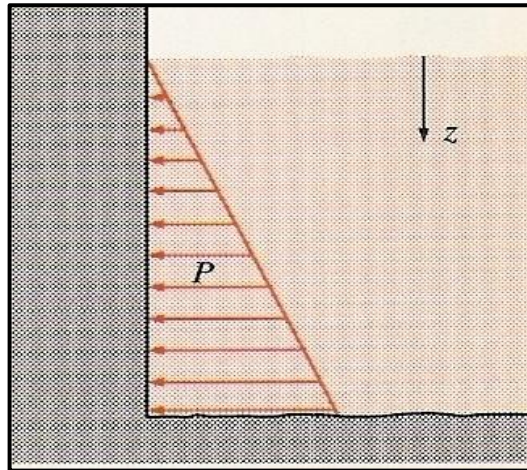

Figure 1-37. The pressure of a fluid at rest increases with depth (as a result of added weight).

Since pressure is defined as force per unit area, it has the unit of newtons per square meter (N/m^2), which is called a *pascal* **(Pa). That is,**

$$1 \text{ Pa} = 1 \text{ N/m}^2$$

$$1 \text{ kPa} = 10^3 \text{ Pa}$$
$$1 \text{ MPa} = 10^6 \text{ Pa}$$
$$1 \text{ bar} = 10^5 \text{ Pa} = 0.1 \text{ MPa} = 100 \text{ kPa}$$
$$1 \text{ atm} = 101325 \text{ Pa} = 101.325 \text{ kPa} = 1.01325 \text{ bars}$$

In the English system, the pressure is *pound-force per square inch* **(lbf/in^2, or psi), and 1 atm = 14.696 psi.**

 The actual pressure at relative to a given position is called the absolute pressure, and it is a measured relative to absolute vacuum, i.e., absolute pressure. Most pressure-measuring devices, however, are calibrated to

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read zero in the atmosphere (Fig. 1-39), and so they indicate the difference between the absolute pressure and the local atmospheric pressure. This difference is called the gage pressure. Pressures below atmospheric pressure are called vacuum pressure. Absolute, gage, and vacuum pressures are all positive quantities and are related to each other by:

$$P_{gage} = P_{abs} - P_{atm} \quad \text{(for pressures above } P_{atm}) \quad (1\text{-}13)$$
$$P_{vac} = P_{atm} - P_{abs} \quad \text{(for pressures below } P_{atm}) \quad (1\text{-}14)$$

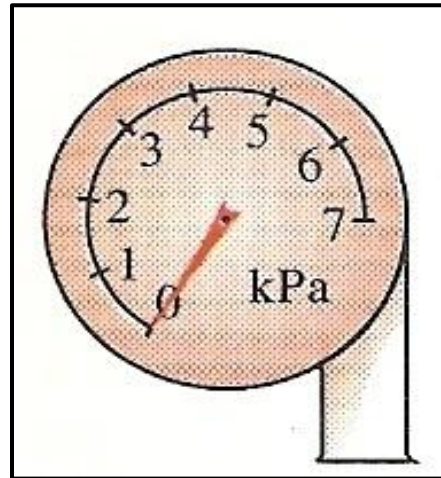This is illustrated in (Fig. 1-40).

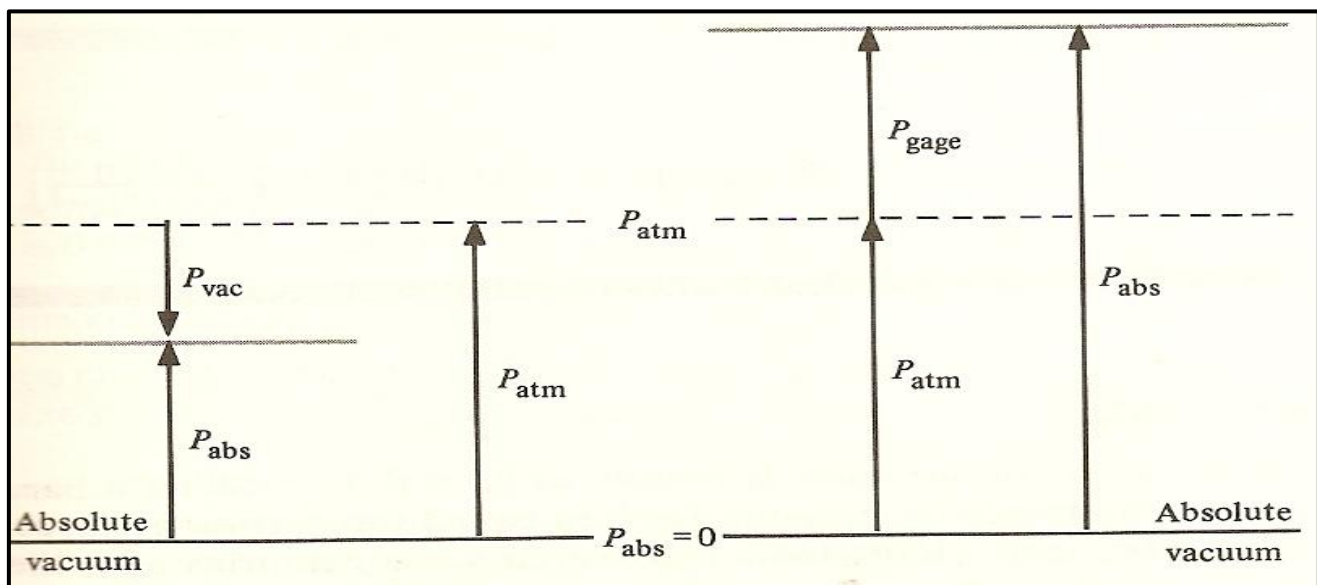Figure 1-39. A pressure gage which is open to the atmospheric reads zero.

Figure 1-40. Absolute, gage, and vacuum pressures.

Example 1-3.

A vacuum gage connected to a chamber reads 5.8 **psi** at a location where the atmospheric pressure is 14.5 **psi**. Determine the absolute pressure in the chamber.

Solution

The absolute pressure is easily determined from (**Eq. 1-14**).

$$P_{abs} = P_{atm} - P_{vac} = (14.5 - 5.8) \text{ psi} = 8.7 \text{ psi}$$

Manometer

Small and moderate pressure difference are often measured by using a device known as a **manometer**, which mainly consists **of a glass** or **plastic U-tube** containing a **fluid** such as **mercury**, **water**, **alcohol**, or **oil**.

Consider the **manometer** shown in (**Fig. 1-41**) which is used to measure the pressure in the tank.
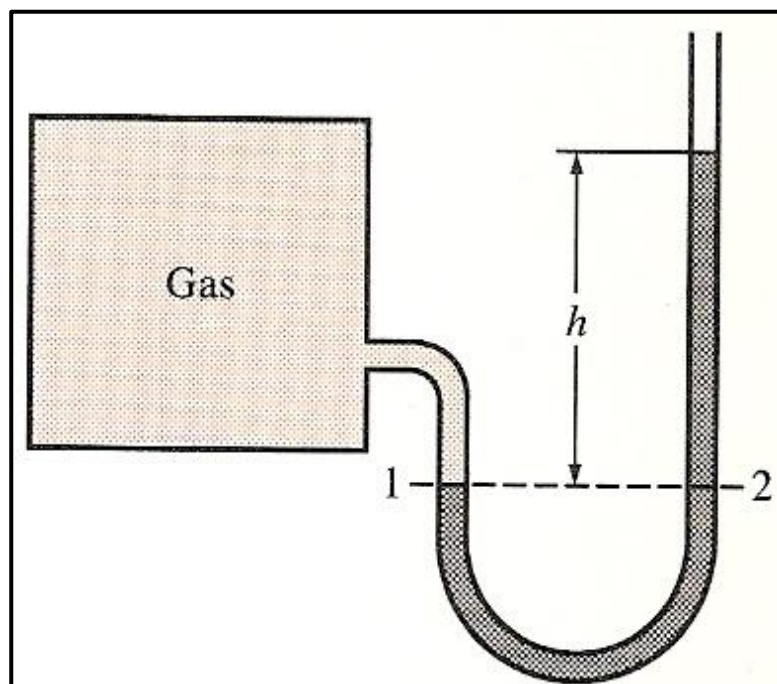

Figure 1-41. The basic manometer.

Since the **pressure** does not vary in the horizontal direction within a fluid, the **pressure** at **2** is the same as the **pressure** at **1**, or $P_1 = P_2$

A force balance (Fig.1-42) in the vertical direction:

$$AP_1 = AP_{atm} + W$$

Where $$W = mg = \rho Vg = \rho Ahg$$

Thus $$P_1 = P_{atm} + \rho gh \quad \text{(kPa)} \qquad (1\text{-}15)$$

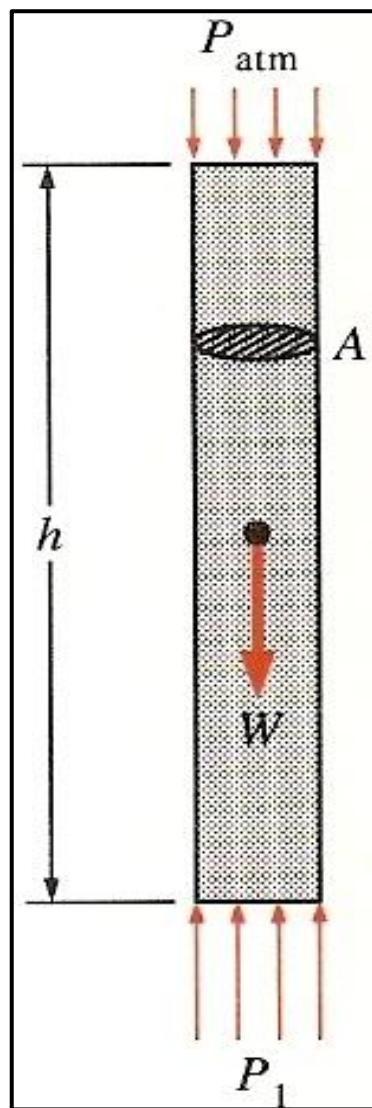$$\Delta P = P_1 - P_{atm} = \rho gh \quad \text{(kPa)} \qquad (1\text{-}16)$$

Figure 1-42. The free-body diagram of a fluid column of height h.

Example 1-4.

A manometer is used to measure the pressure in a tank. The fluid used has a specific gravity of 0.85, and the manometer column height is 55 cm, as shown in (Fig. 1-43). If the local atmospheric pressure is 96 kPa, determine the absolute pressure within the tank.

Solution

ρ_{H2O} = 1000 kg/m^3
g = 9.807 m/s^2

P_{atm} = 96 kPa

P = ?

h = 55 cm

ρ_s = 0.85

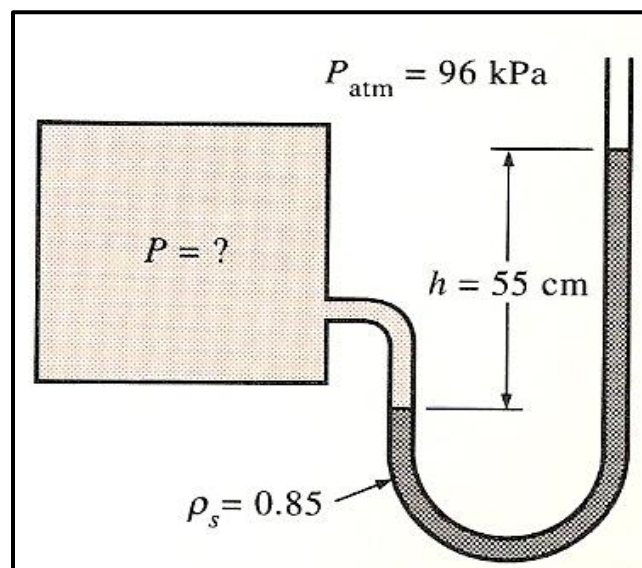**Figure 1-43. Sketch for Example 1-4.**

$\rho = (\rho_s)(\rho_{H2O}) = (0.85)(1000 \text{ kg/m}^3) = 850 \text{ kg/m}^3$

$P = P_{atm} + \rho g h$

$P = 96 \text{ kPa} + (850 \text{ kg/m}^3)(9.807 \text{ m/s}^2)(0.55 \text{ m})(\frac{1 \text{ kPa}}{1000 \text{ N/m}^2})(\frac{1 \text{ N}}{\text{kg.m/s}^2})$

$P = 100.6$ kPa

Barometer

The **atmospheric pressure** is measured by a device called a **barometer**, thus the atmospheric pressure is often called the *barometric pressure*.
The pressure at point **B** is equal to the atmospheric pressure, and the pressure at **C** can be taken to be zero since there is only mercury vapor above point **C** and the pressure it exerts is negligible.

$$P_{atm} = \rho g h \qquad\qquad (1\text{-}17)$$

P_{atm} = 760 **mmHg** in height at **0** ℃ (ρ_{Hg} = 13595 **kg/m³**) under standard gravitational acceleration (g = 9.807 m/s²).
The standard atmospheric pressure, for example, is 760 **mmHg** = 29.92 **inHg** at **0** ℃.
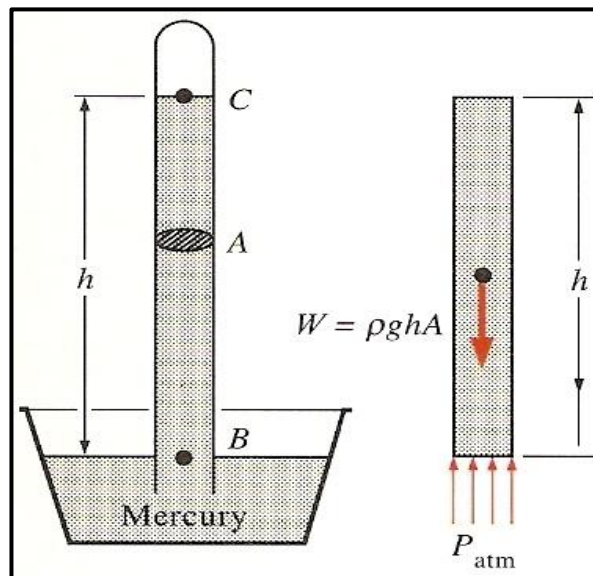

Figure 1-44. The basic barometer.

Example 1-5.
Determine the atmospheric pressure at a location where the barometric reading is 740 **mmHg** and the gravitational acceleration is g = 9.7 **m/s²**. Assume T = 10 ℃, ρ_{Hg} = 13570 **kg/m³**.

Solution

$$P_{atm} = \rho g h = (13570 \text{ kg/m}^3)\,(9.7 \text{ m/s}^2)\,(0.74 \text{ m})\left(\frac{1\ N}{1\ kg.m/s^2}\right)\left(\frac{1\ kPa}{1000\ N/m^2}\right)$$

$$= 97.41 \text{ kPa}$$

Example 1-6.

The piston off a piston-cylinder containing gas has a mass of 60 **kg** and a cross-sectional area of 0.04 **m²**, as shown in (**Fig.1-46**). The local atmospheric pressure is 0.97 **bar**, and the gravitational acceleration is 9.8 **m/s²**?

(**a**)Determine the **pressure** inside the cylinder?

(**b**)If some heat is transferred to the gas, and its volume doubles, do you expect the pressure inside the cylinder to change?
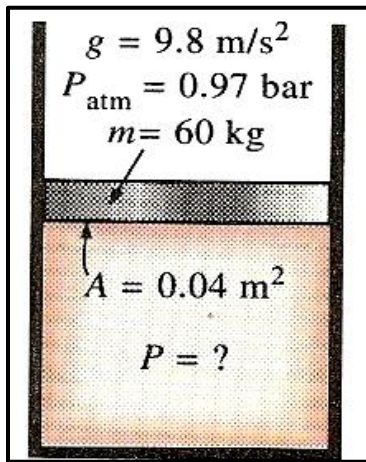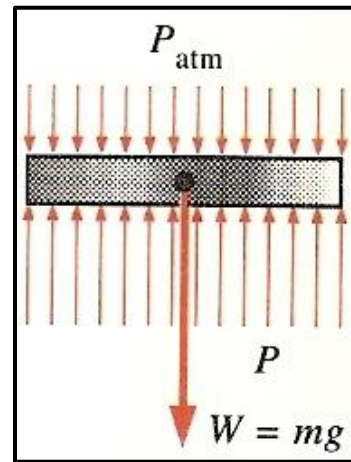

Figure 1-46. Sketch for example 1-6.

Figure 1-47. Free-body diagram of the piston.

Solution
(**a**) Drawing the free-body diagram of the piston (**Fig. 1-47**) and the balancing the vertical forces yield:

$$PA = P_{atm} A + W$$

$$P = P_{atm} + \frac{mg}{A} = 0.97 \text{ bar} + \frac{(60 \text{ kg})(9.8 \text{ m/s}^2)}{0.04 \text{ m}^2} \left(\frac{1 \text{ N}}{1 \text{ kg.m/s}^2}\right) *$$

$$*\left(\frac{1 \text{ bar}}{10^5 \text{ N/m}^2}\right)$$

$$P = 1.117 \text{ bar}$$

(**b**)The volume change will have no effect on the free-body diagram in part (**a**), and therefore the pressure inside the cylinder will remain the same.

1-10. Temperature and the zeroth law of thermodynamics

The zeroth law of thermodynamics that if two bodies are in thermal equilibrium with a third body, they are also in thermal equilibrium with each other (**Fig.1-49**).
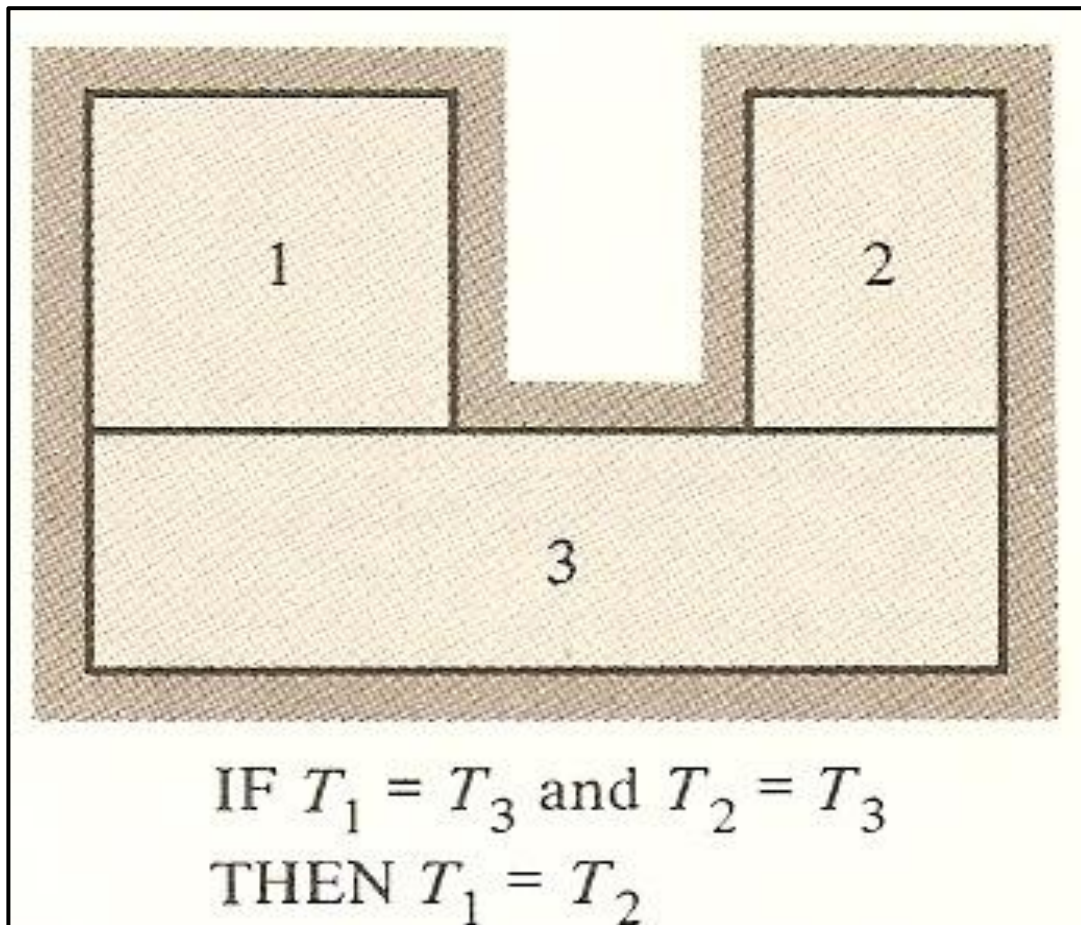

IF $T_1 = T_3$ and $T_2 = T_3$
THEN $T_1 = T_2$

Figure 1-49. The zeroth law of thermodynamics.

Temperature scales

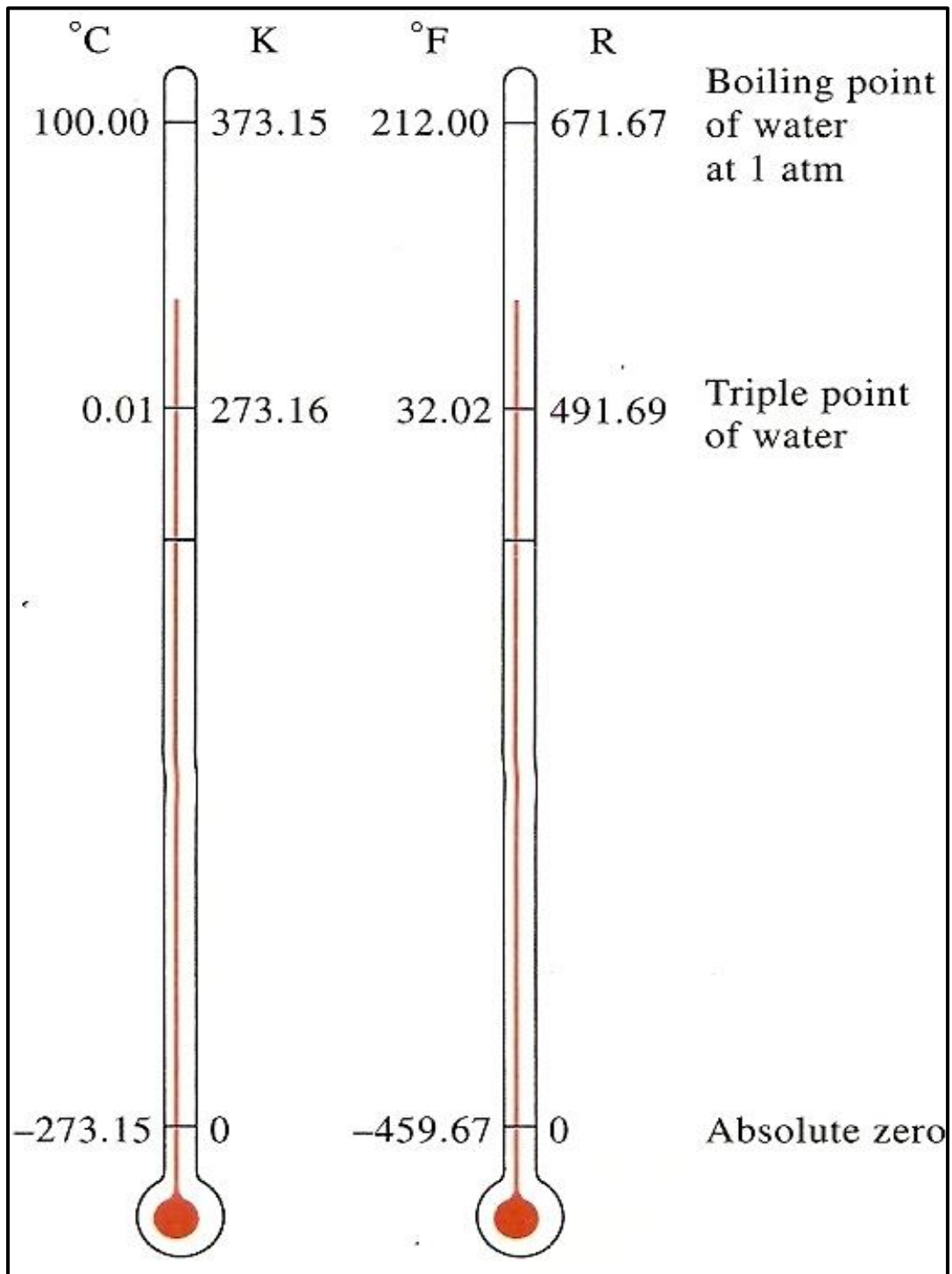**A comparison of various temperature scales is given in (Fig. 1-51):**

°C	K	°F	R	
100.00	373.15	212.00	671.67	Boiling point of water at 1 atm
0.01	273.16	32.02	491.69	Triple point of water
−273.15	0	−459.67	0	Absolute zero

Figure 1-51. Comparison of temperature scales.

$T(\mathbf{K}) = T(°\mathrm{C}) + 273.15$ (1-18)

$T(\mathbf{R}) = T(°\mathrm{F}) + 459.67$ (1-19)

$T(\mathbf{R}) = 1.8\ T(\mathbf{K})$ (1-20)

$T(°\mathrm{F}) = 1.8\ T(°\mathrm{C}) + 32$ (1-21)

$\Delta T(\mathbf{K}) = \Delta T(°\mathrm{C})$ (1-22)

$\Delta T(\mathbf{R}) = \Delta T(°\mathrm{F})$ (1-23)

Where,

$T(\mathbf{K})$: **Kelvin scale**

$T(°\mathrm{C})$: **Celsius scale**

$T(°\mathrm{F})$: **Fahrenheit scale**

$T(\mathbf{R})$: **Rankine scale**

Δ : **difference (delta)**