

الاستهلاك المائي (Consumptive use (evapotranspiration) (النبج النشج)

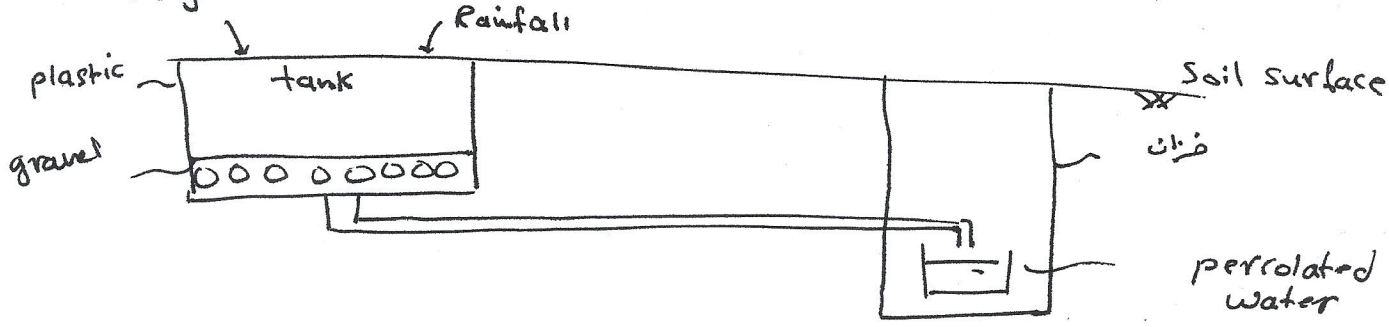
يعرف بأنه مجموع مخلفات الماء من التربة والنبات وعلف فتره نمو النبات فان حركة مقده للماء من التربة الى الجذور ثم الى اساقه ثم الاوراق وقت الاغمران السن الجوى .. وحب بان طولى % في مخلفات الماء المحقق من قبل جذور النباتات يتبقى في النباتات والنبات يعود الى الجوى من طريق ساقا واورق النباتات وهذه العملية تدعى (بالنشج) ايضا الى ذلك فان قسم من الماء يتبخر الى الجوى مباشرة من التربة المحيطة بالنبات. وبسبب استهلاك الماء لدرجات النمو والتنفسه قليل لا يتجاوز % في فان مصطلح النشج (evapotranspiration) والاستهلاك المائي (consumptive use) هما مصطلحان مترادفان.

الاستهلاك المائي : هي كمية المياه المستهلكة من قبل النبات لانخفاض النمو والنشج النشج يختلف الاستهلاك المائي باختلاف النباتات وحتما لنفس النبات حيث تختلف مياه الاستهلاك المائي على مراحل النمو وكذلك تختلف باليوم الواحد والاسبوع والشهر. ان مياه الاستهلاك المائي ياتي من مياه قنطليات الري لانه مرزومه والماء يتقضى من قناه الري .. حيث يعرفه كحجم هذه المتطلبات في معرفة هذه القناه النافله للمياه. وصلت الاستهلاك المائي هي وصلت حول .

طرقه قياس الاستهلاك المائي Methods of measuring consumptive use

1- Field plots : من خلال افذ قطع صغيره من الحقل بحاجه 2x2 م ومن ثم قياسه (كحجم الامطار الساقه + كحجم الماء المنفذ للري) - الاضافات الساقه = مقدار الاستهلاك المائي

2- طريقة lysimeter : وهي طريقة جليله ولدت في سنة 1913م بواسطة ج. فان صموني



$$\text{Crop evapotranspiration ET} = \text{Rainfall} + \text{Irrigation} - \text{percolation}$$

$$ET = ET_0 * K$$

Where:

ET: Crop evapotranspiration (mm/day)

ET₀: Reference evapotranspiration (mm/day)

K: Crop coefficient (معامل النبات) وصيغة كاش لدرجة النبات ومرطباته

٢- تقدير الاستهلاك المائي من البيانات المتاحة العلاقات الرياضية مثل:

- 1- Blaney - criddle method
- 2- Thornthwait method
- 3- Penman method
- 4- Hargreaves, class A pan evaporation method

Blaney - Criddle Method

$$f = T \left(\frac{P}{100} \right) \quad \text{(معامل الاستهلاك المائي الشهري)}$$

f: monthly consumptive use factor.

T: The mean monthly temperature (°F)

P: The monthly percentage of day-time hours.

$$f = \frac{P}{40} [1.8T + 32] \quad \text{(معامل الاستهلاك المائي الشهري)}$$

T: monthly temperature (°C)

وحدة بيانات الاستهلاك المائي يتناسب مع نسبة معدل الاستهلاك المائي الشهري (f) بالعلامة التالية:

$$C_u = K \cdot f$$

C_u: monthly consumptive use of water (cm)

K: monthly consumptive use coefficient

معدل الاستهلاك المائي لكل فصل هو مجموع الاستهلاك المائي الشهري

$$C_{u \text{ total}} = \sum C_u = \sum \left[\frac{K P}{40} (1.8T + 32) \right]$$

$$t^{\circ C} = \frac{5}{9} (t^{\circ F} - 32) \quad \text{للتحويل من } F^{\circ} \text{ إلى } C^{\circ}$$

Ex/ Determine the seasonal consumptive use for wheat (crop)

month	NOV	Dec	Jan	Feb
mean monthly temperature $^{\circ}\text{C}$	20	18	15	16
monthly percentage of day-time hr	7.75	7.88	7.94	7.36

take $k = 0.6$

Sol.

$$C_u = k \sum \frac{P}{40} (1.8T + 32)$$

$$= \frac{0.6}{40} \left[7.75(1.8 \times 20 + 32) + 7.88(1.8 \times 18 + 32) + 7.94(1.8 \times 15 + 32) + 7.36(1.8 \times 16 + 32) \right]$$

$$C_u = 29.26 \text{ cm}$$

Ex/ The monthly consumptive use values for rice are:

June (cm)	July (cm)	Aug. (cm)	Sep. (cm)	Oct. (cm)	Nov. (cm)
28.65	7.85	13.45	21.6	24.3	14.7

Determine the seasonal consumptive use, the average daily consumptive use, the average monthly consumptive use and the peak monthly consum. use

Sol.

$$\text{Seasonal } C_u = \sum C_u$$

$$= 28.65 + 7.85 + 13.45 + 21.6 + 24.3 + 14.7 = 110.55 \text{ cm}$$

$$\text{Average monthly } C_u = 110.55 \div 6 = 18.43 \text{ cm}$$

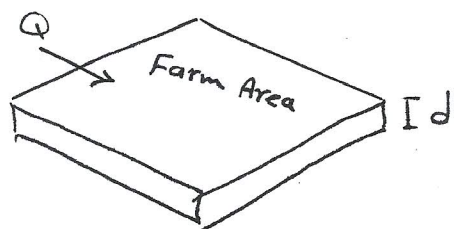
$$\therefore \text{daily } C_u = 18.43 / 30 = 0.61 \text{ cm}$$

$$\text{peak monthly } C_u = 28.65 \text{ cm}$$

Ex/ Using the data given in the first four columns, determine the ^{gross} net irrigation depth for each month take $IE = 60\%$.

Month ①	crop factor K ②	Pan evaporation ET (mm) ③	eff. rainfall ④	C_u (mm) (② × ③) ⑤	$d_g = \frac{d_{gn}}{IE}$ ⑥ = $\frac{⑤ - ④}{IE}$
NOV.	0.2	118	6	23.6	29.3
Dec.	0.36	96	16	34.5	30.93
Jan	0.75	90	20	67.5	79.17
Feb	0.9	105	15	94.5	132.5
Mar.	0.8	140	2	112.0	183.3

Relation between Discharge, Depth, Time and Area



Volume of water Applied = $Q \times T$
 Volume of water Applied = $d \times A$

$$\therefore Q \times T = d \times A$$

Q : Discharge (L^3/s) (L/T)

$$Q_n \times T = d_n A_n$$

$$Q_g \times T = d_g A_n$$

T : Time of irrigation (T)

d_g, d_n : depth of water (gross, net) (L)

A : area of (Field, Farm) hectar = $10^4 m^2$

$$A_{net} = 0.88 A_{Total}$$

$$Dunum = 2500 m^2$$

Example: Given $Q = 50 l/sec$. Find Q in L/min , L/hr , m^3/sec , m^3/min , m^3/hr , m^3/day ?

$$1 m^3 = 1000 lit$$

Sol. $Q = 50 \frac{l}{s} = 50 \frac{l}{s} \times \frac{60s}{1min} = 3000 l/min$

$$Q = 50 \frac{l}{s} = 50 \frac{l}{s} \times \frac{60s}{1min} \times \frac{60min}{1hr} = 100000 L/hr$$

$$Q = 50 \frac{l}{s} = 50 \frac{l}{s} \times \frac{1m^3}{1000 lit} = 0.05 m^3/s$$

$$Q = 50 \frac{l}{s} = 50 \frac{l}{s} \times \frac{1m^3}{1000 lit} \times \frac{60s}{1min} = 3 m^3/min$$

$$Q = 50 \frac{l}{s} = 50 \frac{l}{s} \times \frac{1m^3}{1000} \times 60 \times 60 = 180 m^3/hr$$

$$Q = 50 \frac{l}{s} = 50 \frac{l}{s} \times \frac{1}{1000} \times 60 \times 60 \times 24 = 4320 \frac{m^3}{day}$$

Ex Storage tank takes 2 min to fill a 500 lit. What is the discharge in m^3/s ?

Sol. $Q = \frac{Volume}{Time} = \frac{500 lit}{2 min} = 250 l/min$

$$= 250 \frac{l}{min} \times \frac{1m^3}{1000} \times \frac{1min}{60 Sec} = 0.0042 m^3/s$$

Ex Given a discharge of $5 \frac{\text{m}^3}{\text{s}}$ diverted from irrigation source $IE = 90\%$, $CE = 85\%$ and then applied to a farm of total area 1500 Dunum for a period of 24 hr. Find the gross and net depth applied to the farm.

Sol.

$$CE = \frac{Q_g}{Q_{\text{total}}}, \quad \frac{85}{100} = \frac{Q_g}{5} \Rightarrow Q_g = 4.25 \frac{\text{m}^3}{\text{s}}$$

$$Q_g \times t = d_g \times A_n$$

$$4.25 \times 24 \times 60 \times 60 = d_g \times 1500 \times 2500 \times 0.88$$

$$d_g = 0.111 \text{ m} = 111 \text{ mm}$$

$$IE = \frac{d_n}{d_g} \times 100, \quad IE = \frac{90}{100} = \frac{d_n}{111} \Rightarrow d_n = 99.9 \text{ mm}$$

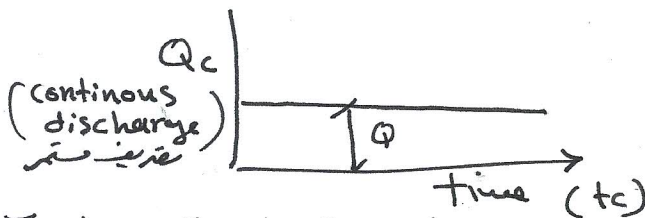
H.W1 Given $\theta = 90 \frac{\text{t}}{\text{s}}$ applied to a farm of net area 100 Dunum once every week, $C_u = 20 \text{ mm/day}$, farm losses = 10% of net depth. Find time of irrigation?

H.W2 150 $\frac{\text{L}}{\text{s}}$ of water applied to irrigate a total area of 250 Dunum. Water lost by runoff = 7 L/s, $C_u = 10 \frac{\text{mm}}{\text{day}}$. Find net depth of water stored in the soil after the end of 24 hr of irrigation time.

Continuous and intermittent discharge

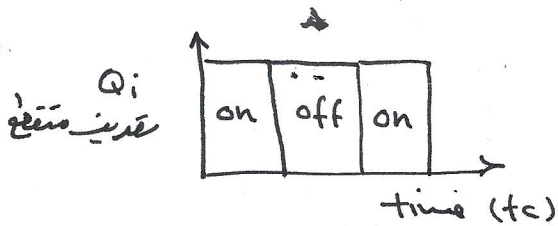
التفيد المستمر والتفيد المتناوب

Continuous operation : the discharge is provided continuously with time



(اضافه مستمره فذ دون انقطاع)

Intermittent Operation : - is the discharge applied for a period of time and shut off another period of time and soon.



اضافه ثم توقف ثم اضافه مره اخرى وهكذا

$$Q_i t_i = Q_c t_c$$

يفضل التفيد المتناوب على التفيد المستمر وذلك للأسباب :

1- تنظيم توزيع المياه بين المناظير المختلفه -

2- القيام بأعمال الصيانه

✓ Ex ① 15 m³/s of water applied for 15 hrs to irrigate a net area of 12500 Dunam, pan evaporation (E_w) = 6 $\frac{mm}{day}$ water is applied once every 3 days. Find IE, Continuous discharge.

sol. $Q_g \cdot t = d_g \cdot A$ للعمود الم²

$$15 \frac{m^3}{s} \times 15 \times 60 \times 60 = d_g \times 12500 \times 2500$$

$$d_g = 0.026 m = 26 mm$$

$$IE = \frac{dn}{d_g} \quad \text{where } dn = Smd \quad [Smd = 6 \times 3 = 18 mm]$$

$$= \frac{18}{26} \times 100 = 69\%$$

$$Q_c \cdot t_c = Q_i t_i$$

$$Q_c \cdot 3 \times 24 = 15 \times 15 \Rightarrow Q_c = 3.13 \frac{m^3}{s}$$

Ex^② It is required to apply - 3500000 m³ of water every 10 days to irrigate an area. Find the discharge in m³/sec if water is applied for

- one day every 10 days
- 12 hrs between day and another
- 3 days once every 10 days
- 5 days every 10 days
- Continuously

Sol.

$$a - Q = \frac{U}{T} = \frac{3500000}{24 * 1 * 3600} = 40.5 \frac{m^3}{s} \quad T \propto \frac{1}{Q}$$

$$b - Q = \frac{3500000}{2.5 * 3600 * 24} = 16.2 \frac{m^3}{s}$$

$$c - Q = \frac{3500000}{3 * 24 * 3600} = 13.5 \frac{m^3}{s}$$

$$d - Q = \frac{3500000}{5 * 24 * 3600} = 8.1 \frac{m^3}{s}$$

$$e - Q = \frac{3500000}{10 * 24 * 3600} = 4.05 \frac{m^3}{s}$$

Ex It is required to apply a net depth of 120 mm to a total area of 60 ha. The applied discharge is continuously 180 l/sec. IE = 85%. What must be the time of irrigation?

Sol.

$$IE = \frac{Q_n}{Q_g} = 0.85 = \frac{Q_n}{180} \Rightarrow Q_n = 153 \text{ l/s}$$

$$Q_n \cdot t = d_n \cdot A_n$$

$$\text{Where } A_n = 0.88 \text{ AT (net)} \quad \text{(total)}$$

$$\frac{153}{1000} * 3600 * t = \frac{120}{1000} * 60 * 10000 * 0.88$$

$$1 \text{ ha} = 10^4 \text{ m}^2$$

$$t = 114.5 \text{ hr}$$

Water Duty (W.D) المقياس المائي

Is defined as the continuous discharge applied to irrigate a unit area. هو المقدار المستمر المنفق من المياه في وحدة واحدة من المساحة الريحية مقارن الإصطلاح المائي لعملية الري

$$W.D = \frac{Q}{A} \quad \text{where } Q : Q_g \text{ (gross discharge) or } Q_n \text{ (net discharge)}$$

حيث أن $Q = \frac{Q}{A}$: سرعة جريان القناة
Flow capacity

A : A_t, A_g (total area) or A_n (net area)

$$W.D = \frac{Q_g}{A_n} \text{ or } \frac{Q_g}{A_g} \text{ or } \frac{Q_n}{A_n} \text{ or } \frac{Q_n}{A_g}$$

or is an area irrigated by unit of continuous discharge.

$$W.D = \frac{A}{Q} \text{ or } \frac{A_g}{Q_n} \text{ or } \frac{A_n}{Q_g} \text{ or } \frac{A_n}{Q_n}$$

حيث أن $A_t = A_g$ وللتقريب $A_n = 0.88 A_t$

Water duty depend on :

- 1- Type of plant
- 2- type of soil
- 3- temperature
- 4- Salt concentration in the soil.

زيادة دراسة المقياس المائي هو توزيع اقتصادي لمياه الري المحرزه لتقليل دون ضايات أو هدر وذلك بتقييم الاستفاد المستوي (علم عمدة من الماء) للمجامل المختلفة على مدار نموها ضيق تقاير صفة التربة مع استجابات أفضل والقليل

Ex ① Given $d_n = 12 \text{ mm/day}$ time of continuous irrigation = 1 day, $IE = 95\%$, total area = 10 ha. Find water duty in total ha per applied discharge (m^3/s).

Sol.

$$d_n = S_{md} = 12 \frac{\text{mm}}{\text{day}} \times 1 \text{ day} = 12 \text{ mm}$$

$$Q_n \cdot t = d_n \cdot A \Rightarrow Q_n \times 24 \times 3600 \times 1 = \frac{12}{1000} \times 100000 \cdot 88$$

$$Q_n = 0.0122 \text{ m}^3/\text{s} \quad \text{مقدار مائي مستمر}$$

$$IE = \frac{Q_n}{Q_g} = 0.95 \Rightarrow 0.95 = \frac{0.0122}{Q_g} \Rightarrow Q_g = 0.0126 \frac{\text{m}^3}{\text{s}}$$

$$W.D = \frac{10}{0.0126} = 793.7 \text{ G ha/G m}^3/\text{sec} \text{ or } \text{T ha/T m}^3/\text{s}$$

Ex^② Given a W.D = 2000 G Dunam/G m³/sec, Ec or CE = 75%, Total area = 1000 Dunam. Find discharge at the head of the canal. (Q_{Total}).

Sol.

$$CE = \frac{Q_g}{Q_T} \times 100\% \quad W.D = \frac{A_g}{Q_g} \Rightarrow 2000 = \frac{1000}{Q_g}$$

$$\frac{75}{100} = \frac{0.5}{Q_T}$$

$$Q_g = 0.5 \text{ m}^3/\text{s}$$

$$\therefore Q_T = 0.67 \text{ m}^3/\text{s}$$

Ex^③ Discharge is applied to Farm = 180 l/s once every week. Total area = 60 ha, F.C = 40% by vol. initial water content just before irrigation = 32% by vol. RZ = 1m, Water losses = 20% of net depth. Find water duty in N.Dunam/G m³/s.

$$1 \text{ ha} = 4 \text{ Dunam}$$

$$d_n = Smd = \frac{40 - 32}{100} \times 1000 = 80 \text{ mm} \quad [\text{before irrigation}]$$

$$d_g = d_n + \text{Water losses} + LR - \text{Rainfall}$$

$$d_g = 80 + \frac{20}{100} \times 80 = 96 \text{ mm}$$

المعرفة $Q = 180 \frac{\text{ل}}{\text{س}}$ المعطى بالزمن هو معرفة متناوب لنا ويجب تحويله

الى معرفة مقدار لتحويله من قانون W.D لاستخراج (W.D).

$$Q_i \cdot t_i = Q_c \cdot t_c$$

ت: غير معلوم لنا ويجب استخراجها

$$Q_g \cdot t = d_g \cdot A$$

$$180 \times 88 = Q_c \times 7 \times 24 \quad \text{لحصوله ل من } \frac{180 \times 3600 \text{ t}}{1000} = \frac{96}{1000} \times 60 \times 10000$$

$$Q_c = 94.28 \text{ L/s}$$

$$t = 88 \text{ hr} = 3.6 \text{ days}$$

$$\therefore W.D = \frac{A}{Q} = \frac{60 \times 4 \times 0.88}{\frac{94.28 \text{ L/s}}{1000 \text{ m}^3/\text{s}}} = 2240 \text{ N Dunam/G m}^3/\text{s}$$

H.W^① Given a W.D = 0.5 T L/s/G Dunam, CE = 90%, IE = 88%. Net area of farm = 2000 ha, Find Q_g (m³/s)

H.W^② Given a W.D = 5.8 G l/s/G ha, total area = 600 ha a discharge is applied for 10 hrs every 7 days. Find Q_i (m³/s).

EX / Given a soil of F.C = 35% , P.W.P = 15% R.Z = 1 m
AD = 50% , $C_u = 8 \text{ mm/day}$, Find II (max)

Sol. $II_{\max} = \frac{RAW = d_n}{C_u}$

$$d_n = RAW = (F.C - P.W.P) \times AD \times R.Z$$

$$= \frac{100}{8} = 12.5 \text{ days} = (0.35 - 0.15) \times 0.5 \times 1000$$

$$\approx 13 \text{ days} = 100 \text{ mm}$$

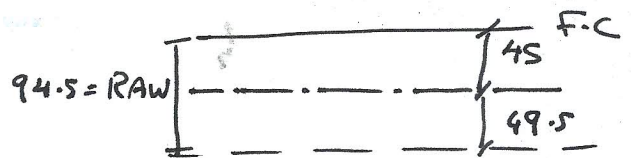
or $\approx 12 \text{ days}$

EX / Given a soil of F.C = 38% , P.W.P = 17% R.Z = 90 cm
AD = 50% , $C_u = 5 \text{ mm/day}$. On Nov. 6th (morning)
soil moisture content = 33% , when would be the next
irrigation ?

Sol. $d_n = RAW = \frac{38 - 17}{100} \times 90 \times 10 \times \frac{50}{100} = 94.5 \text{ mm}$

Smd (on 6th of Nov.) = $(0.38 - 0.33) \times 900 = 45 \text{ mm}$
water to be consumed by plant $94.5 - 45 = 49.5 \text{ mm}$

$\therefore II = \frac{49.5}{5} = 9 \text{ days}$



بناءً على حساب 9 أيام من يوم 6th لأنه ذكر في السؤال صباحاً

أي صباح اليوم وبذلك يكون موعد الري التالي من يوم 14th

EX / Given a soil of F.C = 40% , P.W.P = 18% , R.Z = 0.8 m
AD = 50% , $C_u = 5 \text{ mm/day}$. Just before irrigation initial water content
= 34% , Net depth was applied = 40 mm , 6 days after irrigation eff.
rainfall = 30 mm when would be the next irrigation ?

Sol. $RAW = \frac{40 - 18}{100} \times 0.8 \times 1000 \times \frac{50}{100} = 88 \text{ mm}$

Smd (before irrigation) = $(0.40 - 0.34) \times 0.8 \times 1000 = 48 \text{ mm}$

Smd (after irrigation) = $48 - 40 = 8 \text{ mm}$

Smd (after 6 days from irrigation) = $8 + 6 \times 5 = 38 = 8 \text{ mm}$

Water to be consumed by plant = $88 - 8 = 80 \text{ mm}$

$II = \frac{80}{5} = 16 \text{ days}$ from the rainfall

Ex Given a. F.C = 40% , PWP = 20% , RZ = 900mm
AD = 60% . if $C_u = 3.5$ mm/day for 1st 10 days of April ,
3 mm/day for 2nd 10 days , 2.5 mm/day for 3rd 10 days of
April , $C_u = 2$ mm/day for May . If first of irrigation was
done on 1st of April (morning) when would be the next of
irrigation.

Sol. $RAW = (0.4 - 0.2) \times 900 \times 0.6 = 108$ mm

$Smd = 3.5 \times 10 + 3 \times 10 + 2.5 \times 10 = 90$ mm For April

Water to be consumed by plants = $108 - 90 = 18$ mm

$II = \frac{18}{2} = 9$ days from 1st of May

it means the next irrigation will be at 9 May.

Ex A Farm of total area 500 ha , $A_w = 400$ mm/1m , R.Z = 0.9m

F.C = 35% , AD = 60% , I.W.C in 1st of April = 120 mm .

C_u in first 10 days of April = 3.5 mm/day , C_u in 2nd 10 days
of April = 4.5 mm/day , C_u in 3rd 10 days of April = 5.5 mm/day

Find : ① The time till the next of irrigation ② For a net depth
of applied water = 80 mm & $\frac{2}{3}$ of d_n is water losses , total
discharge at head of canal 10 m³/s , CE = 92% , Find time of
irrigation (hr).

③ Find W.D in T lps / N ha .

Sol. ① $A_w = \frac{400}{1000} = 40\%$ by vol.

$RAW = 0.4 \times 0.6 \times 900 = 216$ mm

$Smd = F.C - I.W.C \Rightarrow Smd = 0.35 \times 900 - 120 = 195$ mm

Smd (after 10 days) = $195 + 10 \times 3.5 = 230$ mm > 216 mm

\therefore no. of days (II) = $\frac{216 - 195}{3.5} = 6$ days after the first of
April

② $d_n = 80$ mm

$d_g = 80 + \frac{2}{3} \times 80 = 133$ mm

CE = 0.92 = $\frac{Q_g}{Q_t} = \frac{Q_g}{10} \Rightarrow Q_g = 9.2$ m³/s

$$Q_g * t = d_g * A$$

$$9.2 * t = 0.133 * 500 * 10000 * 0.88$$

$$\therefore t = 17.7 \text{ hr}$$

$$W.D = \frac{10 \frac{\text{m}^3}{\text{s}} * 10^3 \frac{\text{l}}{\text{m}^3}}{500 * 0.88 \text{ ha}} = 22.7 \text{ T l/s / N ha.}$$

Ex

$A_t = 5000 \text{ ha}$, $A_w = 600 \text{ mm} / 0.8 \text{ m}$, $R.Z = 900 \text{ mm}$, $F.C = 25\%$
(by weight), $A.D = 50\%$, $A_s = 1.4$, soil moisture content in 15th
of March = 315 mm, C_u is as follows:

6 mm/day from 15th to 20th of March

6.5 mm/day from 21th to 31th of March

7.5 mm/day from 1st to 30th of April

9.0 mm/day from 1st to 3rd of May

at 31th of March $d_g = 108 \text{ mm}$, Find ① IE @ 31th of March

② Find time of next irrigation ③ Find (Q_g) if time of irrig. = 2 days every 7 days.

at 15th of April
effec. rainfall = 30 mm

Sol.

$$F.C = 25\% * 1.4 = 35\% \text{ by Vol.}$$

$$I.W.C \text{ in March (15th)} = \frac{315}{900} = 35\%$$

$$\therefore Smd \text{ (in 15th of March)} = 0$$

$$Smd \text{ (in 20th of March)} = 6 \frac{\text{mm}}{\text{day}} * 6 \text{ days} = 36 \text{ mm}$$

$$Smd \text{ (in 31th of March)} = 11 \text{ days} * 6.5 \frac{\text{mm}}{\text{day}} + 36 = 107.5 \text{ mm}$$

before irrigation

$$Smd \text{ (in 31th of March)} = 107.5 - 107.5 = 0 \text{ [Water losses by deep percolation = 0.05 mm]}$$

after irrigation

$$d_n = 107.5 \text{ mm} \quad IE = \frac{d_n}{d_g} = \frac{107.5}{108} * 100\% \approx 100\%$$

$$A_w = \frac{600}{0.8} * \frac{\text{mm}}{1000 \text{ mm}} = 75\% \text{ by Vol.}$$

$$RAW = 0.75 * 0.5 * 900 = 337.5 \text{ mm}$$

$$Smd \text{ (in 30th of April)} = 30 * 7.5 - 30 \overset{\text{rainfall}}{\leftarrow} = 195 \text{ mm}$$

$$\text{Smd (in 31th of May)} = 195 + 31 \text{ day} * 9 \frac{\text{mm}}{\text{day}} = 474 \gg \text{RAW}$$

$$\therefore \text{II} = \frac{\text{RAW} - \text{Smd}}{C_u} = \frac{337.5 - 195}{9} = 15.8 \approx 16 \text{ days from 30th of April}$$

$$Q * t = d_g * A_n$$

$$Q * 2 * 24 * 3600 = \frac{108}{1000} * 5000 * 10^4 * 0.88$$

$$Q = 5.5 \frac{\text{m}^3}{\text{s}}$$

Schedule of Irrigation and Water Budget

جدولة الري والموازنة المائية

الجدولة : هي عملية تنظيم الري وصاحب كميات المياه المضافة خلال مدة معينة
قد تكون شهر ، شهرين ، فصل زراعي وموازنتها مع استهلاك النبات + ما تبقى
من الزبد .

هناك طريقتين للجدولة :-

- 1- Constant net depth of irrigation and variable irrigation interval
عمدة مائية ثابتة مع فاصل ري متغيرة
2. variable net depth of irrigation and constant interval irrigation
فاصل ري ثابت مع عمدة مائية متغيرة

Water Budget :

$$I + R = C_u + \text{Farm losses} + \text{water storage in R.Z}$$

where :

I : irrigation (Σd_n)
net depth

R : Rain fall ← effective

$$C_u = \Sigma C_u$$

water storage in R.Z = المحتوى المرطوب للمياه - المحتوى المرطوب من نهاية الموازنة

Ex: An irrigation project $Q_g = 8.4 \text{ m}^3/\text{s}$, Net area = 6000 ha , I.W.C on 1st March = 27% (by vol.) , F.C = 36% , p.w.p = 21% all by vol. AD = 40% , IE = 60% , $C_u = 4.8 \frac{\text{mm}}{\text{day}}$
R.Z = 600 mm Effective rainfall = 31 mm/month Schedule the irrigation using constant net depth and constant irrigation interval.

d_n ثابتة فاصل الري صغير أو طريقة ثابتة d_n متغيرة وفاضلة ثابتة *

$$RAW = (0.36 - 0.21) \times 0.4 \times 600 = 36 \text{ mm} = d_n$$

لجدولة الحلات نفضل الطر مع C_u وكالاتي

$$C_u = 4.8 \frac{\text{mm}}{\text{day}} - \frac{31 \text{ mm}}{\text{month}} \times \frac{1 \text{ month}}{31 \text{ day}} = 3.8 \text{ mm/day}$$

$$Smd \text{ (before irrigation)} = \frac{36 - 27}{100} * 600 = 54 \text{ mm}$$

(A) constant d_n

Date day-month	d_n (mm)	Smd (before irrig.) (mm)	Smd after irrig. (mm)	note
1-3	36	54	$54 - 36 = 18$	water can be depleted ($36 - 18 = 18 \text{ mm}$) RAW Smd
6-3	36	$18 + 5 * 3.8 = 37$	$37 - 36 = 1$	no. of day = $\frac{18}{3.8} = 4.7 \approx 5 \text{ days}$ $II = \frac{36 - 1}{3.8} = 9 \text{ days}$
15-3	36	$1 + 9 * 3.8 = 36$	$36 - 36 = 0$	$II = \frac{36 - 0}{3.8} = 10 \text{ days}$
25-3	36	$0 + 10 * 3.8 = 38$	$38 - 36 = 2$	$36 - 2 = 34$, $II = \frac{34}{3.8} = 9 \text{ days}$ نتوقف حينها انك لن تباقي ماء يتم الري على السطر الرابع

at 31-3 $Smd = 2 + 7 * 3.8 = 29 \text{ mm}$

$$I.W.C = \left(\frac{36}{100} * 600 \right) - 29 = 187 \text{ mm}$$

$$I = \sum d_n = 36 * 4 = 144 \text{ mm}$$

$$\sum C_u = 38 * 31 = 118 \text{ mm}$$

Water storage in R-2

$$I + R = C_u + \text{Soil moisture at the beginning of budget} + \text{Soil moisture at the end of budget}$$

$$144 = 118 + \left(\frac{-27}{100} * 600 + 187 \right)$$

$$144 = 144$$

(B) constant II

$$II_{\max} = \frac{36}{3.8} = 9.5 \text{ days}, \text{ RAW} = 36 \text{ mm}$$

$\approx 9 \text{ days or } 10 \text{ days}$

$$C_u = 3.8 \frac{\text{mm}}{\text{day}}$$

$$II = 9 \text{ days}, \text{ Smd on 1st of March} = 54 \text{ mm}$$

$$d_n = Smd = 54 \text{ mm [on 1st of March] (Water)}$$

Date	d_n mm	Smd before irrig. (mm)	Smd after irrig. (mm)
1-3	54	54	0
10-3	34	$0 + 3.8 \times 9$	$34 - 34 = 0$
19-3	34	$0 + 3.8 \times 9$	$34 - 34 = 0$
28-3	34	$0 + 3.8 \times 9$	$34 - 34 = 0$

31-3 : $smd = 0 + 4 \times 3.8 = 15 \text{ mm}$
 water content = $F.C - smd$
 $= (0.36 \times 600) - 15 = 210 \text{ mm}$

$\sum d_n = 54 + 3 \times 34 = 156 \text{ mm}$

$\sum cu = 31 \times 3.8 = 118 \text{ mm}$

$156 = 118 + (210 - 162)$
 \uparrow
 0.27×600

EX :

Schedule the irrigation, calculate water budget for october and NOV. by two methods, $F.C = 39\%$, $p.w.p = 17\%$ (all by vol.), $AD = 40\%$, $R.Z = 90 \text{ cm}$, Soil moisture content on 1st of oct (morning) = 25% by vol., $C_u = 5 \frac{\text{mm}}{\text{day}}$ in Oct., $C_u = 3.5 \frac{\text{mm}}{\text{day}}$ in NOV.

Sol. / 1- Constant d_n

$d_n = RAW = (0.39 - 0.17) \times 0.4 \times 900 = 79.2 \approx 80 \text{ mm}$

$smd (1 \text{st of Oct morning}) = (0.39 - 0.25) \times 900 = 126 \text{ mm}$

date	d_n (mm)	S_{md} (mm) before irrig.	S_{md} (mm) after irrig.	II
1-10	80	126	$126 - 80 = 46$	$\frac{80 - 46}{5} = 6.8 \approx 7$ days
8-10	80	$46 + 7 * 5 = 81$	$81 - 80 = 1$	$\frac{80 - 1}{5} = 15.8 \approx 16$ days
24-10	80	$1 + 16 * 5 = 81$	$81 - 80 = 1$	16 days
31-10	—	$1 + 8 * 5 = 41$	—	$\frac{80 - 41}{3.5} = 11.1 \approx 11$ days
12-11	80	$41 + 11 * 3.5 = 79.5 \approx 80$	$80 - 80 = 0$	$\frac{80}{3.5} = 22.8 \approx 23$ days
30-11	—	$0 + 19 * 3.5 = 66.5 \approx 67$		

$$I.W.C = (0.39 * 900) - 67 = 284 \text{ mm}$$

at 31 Nov.

$$I = \sum d_n = 80 * 4 = 320$$

$$\sum C_u = 31 * 5 + 30 * 3.5 = 260$$

$$I + R = C_u + \text{Water storage in R.Z}$$

$$320 = 260 + [284 - (0.25 * 900)]$$

$$320 \approx 319 \quad \underline{\text{O.K}}$$

2- Constant II

$$II_{\max} = \frac{RAW}{C_u} = \frac{80}{5} = 16 \text{ days for Oct.}, \quad \frac{80}{3.5} = 23 \text{ days for Nov.}$$

Choose II = 16 days [دائماً لا تزيد النقصان الا حتى]

Date	d_n	S_{md} (before) irrig.	S_{md} (after irrig.)
1-10	126	126	0
17-10	80	$0 + 16 * 5 = 80$	0
31-10	—	$0 + 15 * 5 = 75$	—
2-11	79	$75 + 1 * 3.5 = 79$	0
18-11	56	$0 + 16 * 3.5 = 56$	0
31-11	—	$0 + 13 * 3.5 = 46$	—

$$I.w.c \text{ [at 30 Nov.]} = [0.39 \times 900] - 46 = 305 \text{ mm}$$

$$I = \sum d_n = 126 + 80 + 79 + 56 = 341$$

$$\sum C_u = 31 \times 5 + 30 \times 3.5 = 260$$

$$341 = 260 + [305 - (0.25 \times 900)]$$

$$341 \approx 340 \quad \therefore \text{O.K.}$$

H.W

Given a project of total area = 50 Dunme, net discharge = $0.05 \frac{m^3}{s}$, F.C = 40%, p.w.p = 22% [all by vol.] R.Z = 1m, A.D = 50%, $C_u = 5 \frac{mm}{day}$ for May, $C_u = 7 \frac{mm}{day}$ for June, $C_u = 8 \frac{mm}{day}$ for July, $C_u = 10 \frac{mm}{day}$ for August.

First complete irrigation was done at 10th of May (morning)
 Schedule the irrigation starting from 1st of June to End of August by using constant d_n method.