Definitions

Q/ what is strength of Materials?

Bodies: are solid objects, like steel cable, gear teeth, beams, and axle shaft. (No liquid, No gases).

Rigid Bodies: means the bodies do not stretch, bend, or twist.

Equilibrium: means the rigid bodies are not accelerating (Not dynamic). Only 3 Equations

Statics: is the study of forces acting in equilibrium on rigid bodies.

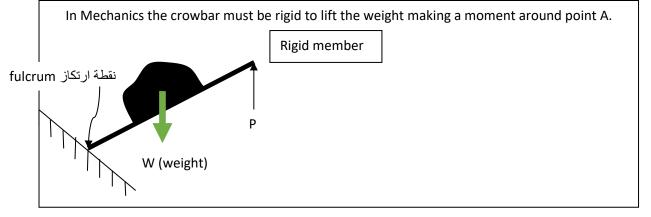
Engineering Mechanics: the field of mechanics covers the relations between forces on rigid bodies in statics (equilibrium).

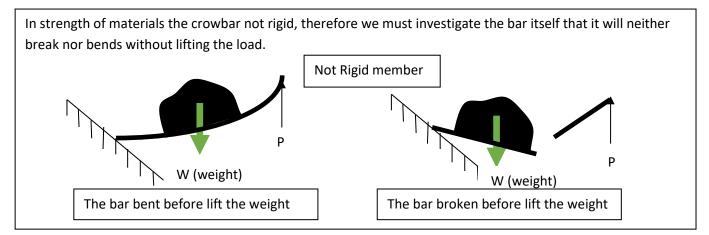
Strength of Materials: study the behavior of materials under loads.

(Investigate the internal resistance and deformations of solid bodies subjected to loads).

Q/ What is the difference between Engineering Mechanics and Strength of Materials?

A/	Engineering Mechanics	Strength of Materials	fulcrum نقطة ارتكاز Crowbar عتلة
	The body in Equilibrium	The body in Equilibrium	
	The body is Rigid	The body is Not Rigid	'A ^T W (weight)
			Р





Q/ Which is the real assumption, Engineering Mechanics or Strength of Materials?

A/ Strength of Materials.

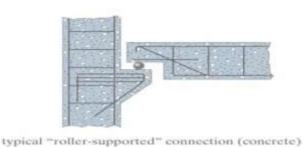
In Strength of Materials we keep the assumptions of bodies in equilibrium, but we drop the "Rigid" assumption. Because:

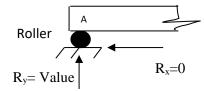
- Real cables stretch under tension.
- Real floor joists bend when you walk across a wood floor.
- Real axle shafts twist under torsion load.

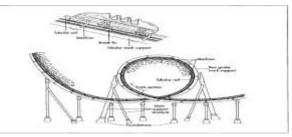
Types of Support:

1-Roller:

- You can rotate a member at point A, therefore No resistance moment at point A.
- You can move the member horizontally, therefore No resistance force R_x at point A.
- You can Not move the member vertically, there is a force R_y at point A.
- ∴ 1 unknown force



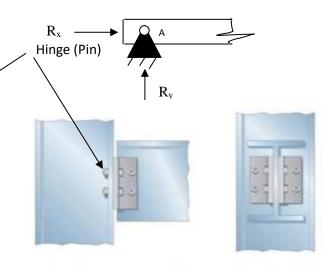




2- Hinge (Pin):

- You can rotate a member at point A, therefore No resistance moment at point A.
- You can Not move the member horizontally, there is a force R_x at point A.
- You can Not move the member vertically, there is a force R_y at point A.
- \therefore 2 unknown force



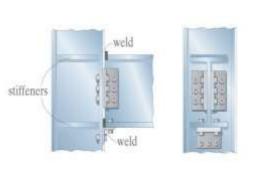


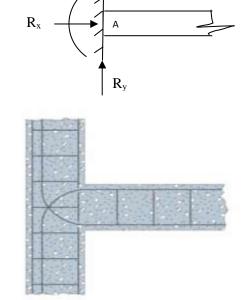
typical "pin-supported" connection (metal)

Μ

3- Fixed end:

- You can Not rotate a member at point A, there is a moment M at point A.
- You can Not move the member horizontally, there is a force R_x at point A.
- You can Not move the member vertically, there is a force R_y at point A.
- ∴ 3 unknown force





typical "fixed-supported" connection (metal)

typical "fixed-supported" connection (concrete)

<u>Units</u>

1- SI System of units and prefixes

SI = International System= Metric System

Quantity	Unit	Symbol	Definition
Length	Meter	m	-
Mass	Gram	g	-
Force or Weight	Newton	N	kg.m/s ²
Stress or Pressure	Pascal	Pa	N/m ²
Moment or Torque	Newton meter	N.m	-

1 MPa = 1 N/mm² 1 Pa = 1 N/m²

Prefix	Abbreviate		Multiplier
Nano-	n	=	10-9
Micro-	μ	=	10-6
Milli-	m	Ш	10-3
Centi-	С	=	10-2
Kilo-	k	Н	10 ³
Mega-	М	=	106
Giga-	G	=	109
Tera-	Т	Η	10 ¹²

2- US System of units and prefixes

US = British Units =English Units

Quantity	Unit	Symbol	Definition
Length	Foot	ft.	-
Force or Weight	Pound	Ib.	-
Stress or Pressure	s or Pressure Pounds per square inch		Ib./in. ²
Moment or Torque	Foot pound	ft.Ib.	-

Hint: US unit symbols are abbreviations with period:
write the unit foot "ft." not "ft"
write the unit inch "in." not "in"
except for "psi" and "ksi" write without period

Unit		Equivalent conversion factor
1 ft.	=	12 in.
1 yd.	=	3 ft.
1 kip	=	1,000 Ib.
1 ksi	=	1,000 psi
1 ton	=	2,000 Ib.

Prefixes of US System

US System does not use prefixes to indicate scale, except for "kips" for "kilo pounds"

1 kips=1,000 pounds (Ib.), instead of that we use equivalent conversion factor.

US unit		SI unit	Example 1: b=83 in.
1 in.	=	2.54 cm	Find the area of triangle in square ft? $A = b \times h$
1 ft.	=	30.48 cm	$A = 83 (in.) \times 45 (ft.)$ h=45 ft.
1 Ib.	=	4.448 N	A = $\frac{83}{12}$ (ft.) * 45 (ft.) = 311.25 ft ²
1 psi	=	6895 Pa	Example 2:
1 psi	=	6.895 kPa	Calculate the stress in psi if $P = 7000$ Ib. and $A = 3ft^2$
1 ksi	=	6.895 MPa	$\sigma = \frac{P}{A} = \frac{7000 \text{ (lb.)}}{3 \text{ (ft.)}^2} = \frac{7000 \text{ (lb.)}}{3 \times (12 \text{ in.)}^2} = 16.2 \text{ psi}$

Conversion factors between SI and US units:

Example 3: convert 1 GPa to the unit of N/m^2 ?

$$1 \text{ GPa} = 1000 \times (\text{MPa}) = 1000 \times \left(\frac{\text{N}}{\text{mm}^2}\right) = 1000 \times \left(\frac{\text{N}}{(\frac{1}{1000})^2 \cdot \text{m}^2}\right) = 10^3 \times \frac{\text{N}}{\text{m}^2} \times 10^6 = 10^9 \frac{\text{N}}{\text{m}^2}$$

or 1 GPa = 10⁹ Pa = 10⁹ $\left(\frac{\text{N}}{\text{m}^2}\right)$