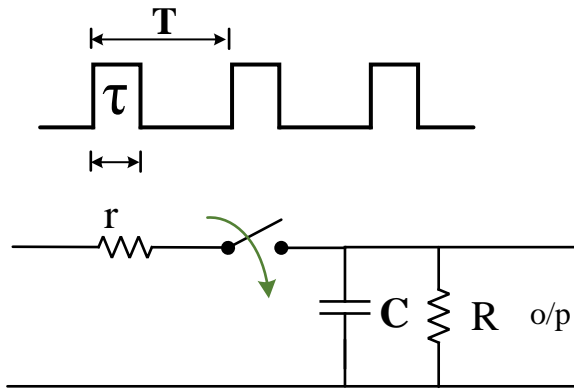
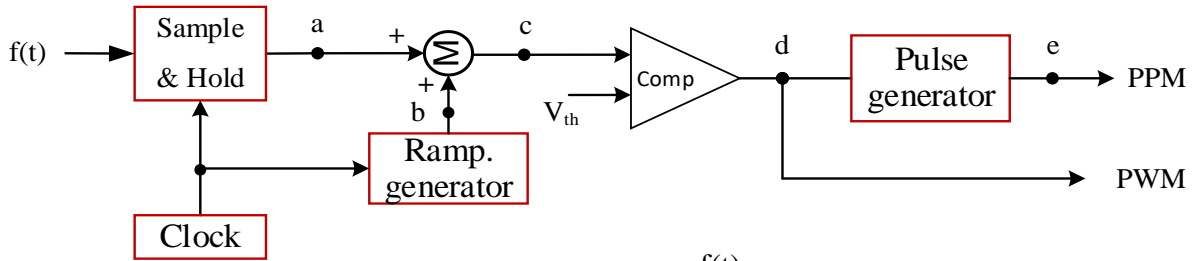


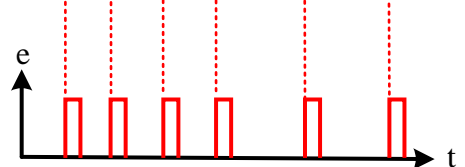
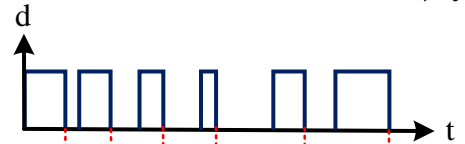
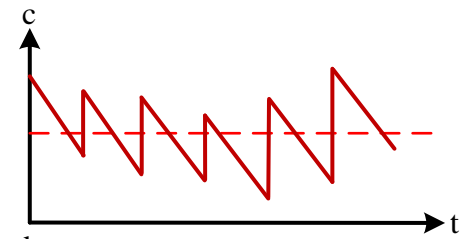
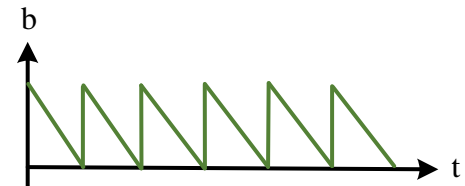
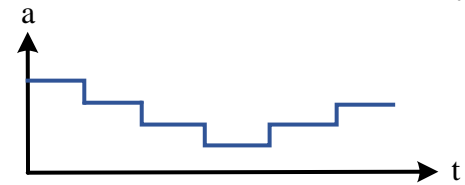
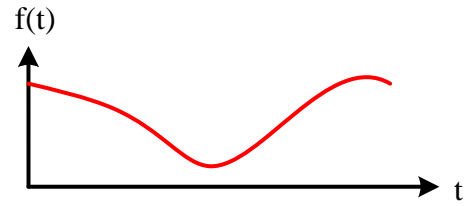
## 2- PWM and PPM:

### Generation:



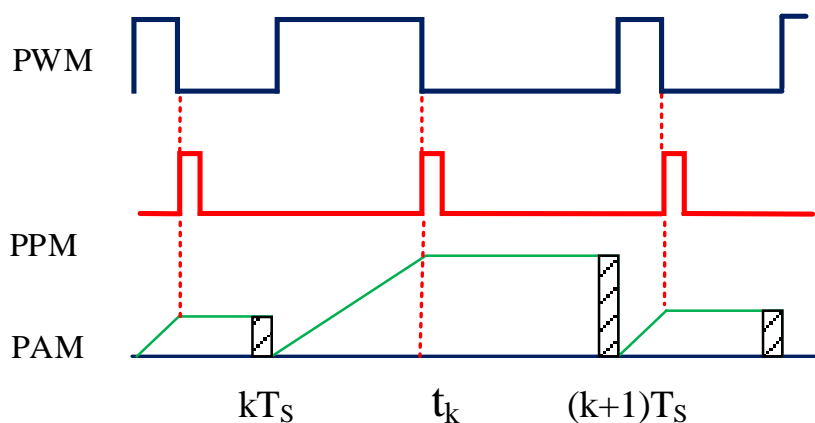
$$rc \ll \tau$$

$RC \gg T$  Sample & Hold circuit



### Detection:

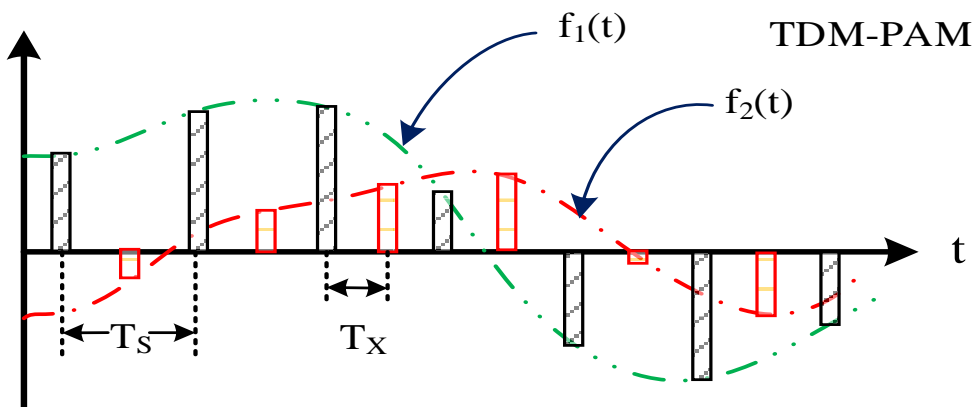
One method of detection is to convert PWM or PPM signals to PAM ones using ramp generator starts at  $kT_s$ , stops at  $t_k$ , restarts at  $(k+1)T_s$  and so forth.



PWM and PPM, are rarely used now in communication systems.

**Time Division Multiplexing (TDM):**

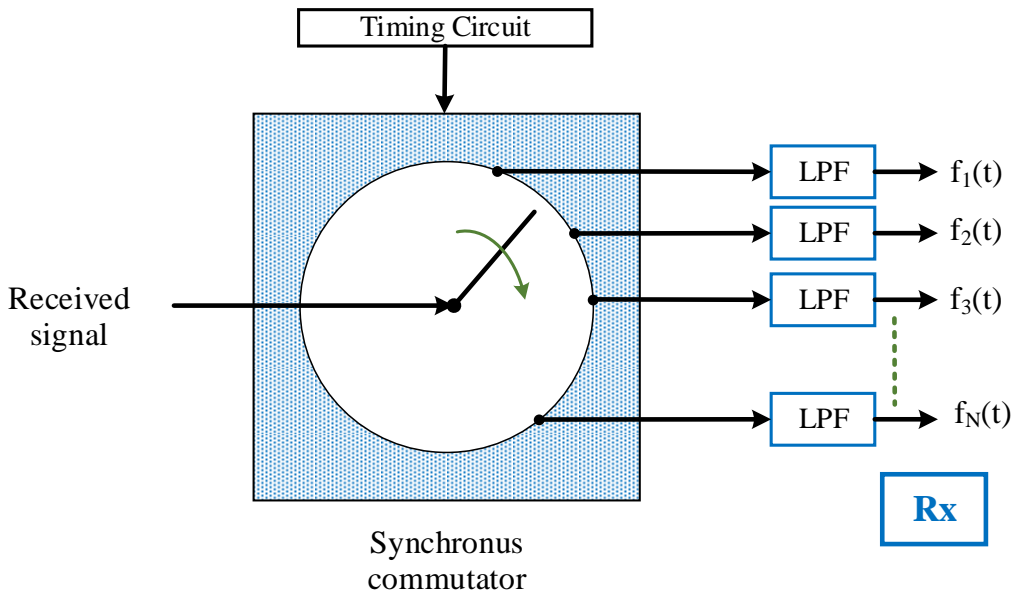
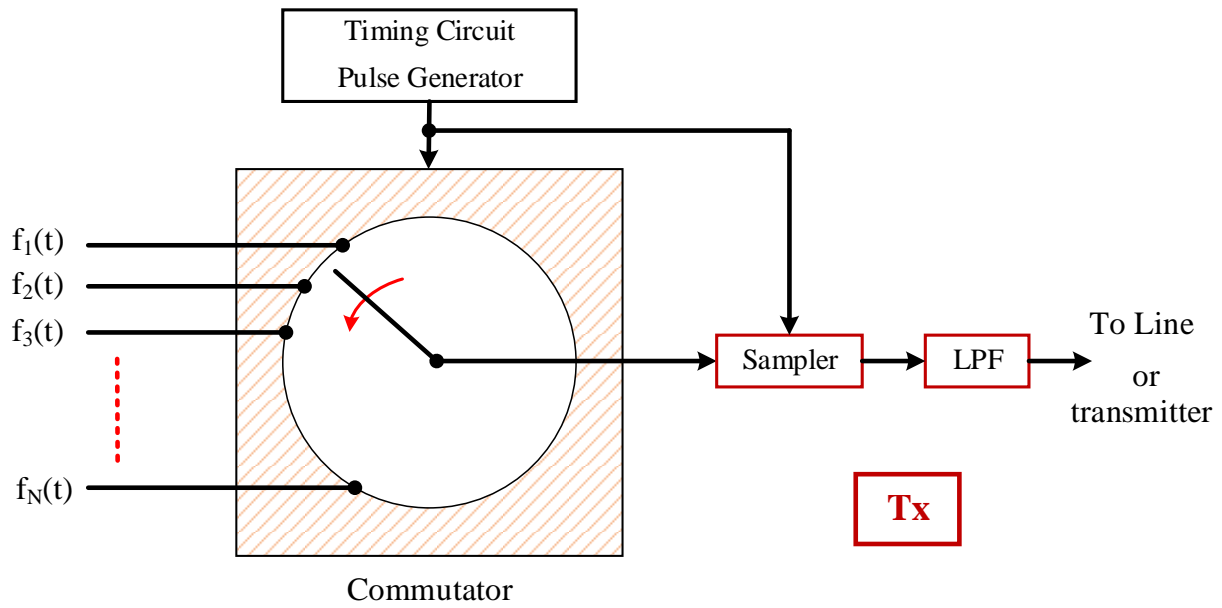
A mode of transmission in which simultaneous transmission of several baseband signals on time-sharing basis is possible.



$T_s$ : Sampling time for each signal ( $T_s \leq \frac{1}{2f_{max}}$  for nyquist sampling)

$T_x$ : Clock frequency for PAM/TDM system.

$T_x = \frac{T_s}{N}$ ; where N: number of messages (channels)



If  $N$  identical messages have the same  $f_{max}$ , then  $f_s \geq 2Nf_{max}$  at the channel the sample rate is at least  $(2Nf_{max})$ .

The minimum required bandwidth of the channel is half the sampling frequency or

$$BW_{min} \geq Nf_{max}$$

Hz for TDM-PAM ....(6-4)

**Ex 6-3:**

Twelve speech signals are TDM-PAM transmitted, find minimum sample rate at the channel and minimum required BW.

**Solution:**

$$f_{max}=3.5 \text{ kHz (for speech)}$$

$$f_s \geq 2Nf_{max} \quad \text{or} \quad f_s \geq 2 \times (12) \times (3.5 \text{ kHz})$$

$$f_{s_{min}}=84 \text{ kHz}$$

$$BW_{min} = \frac{1}{2} f_{s_{min}} = 42 \text{ kHz}$$

**Ex 6-4:**

Determine the minimum transmission BW in a TDM system transmitting 20 different messages, each message signal have BW of 5 kHz; compare the result if FDM is used with AM & SSB techniques.

**Solution:**

- **TDM**

$$f_{min} = 2Nf_{max} = 2 \times (20) \times (5 \text{ kHz})=200 \text{ kHz}$$

$$BW_{min} = 100 \text{ kHz}$$

- **FDM**

$$\text{AM: } BW_{min} = 2(5 * 20)\text{kHz} = 200 \text{ kHz}$$

$$\text{SSB: } BW_{min} = 5 * 20 \text{ kHz} = 100 \text{ kHz}$$

∴ TDM/PAM is more efficient in terms of BW than FDM/AM

## Digital Communication System:

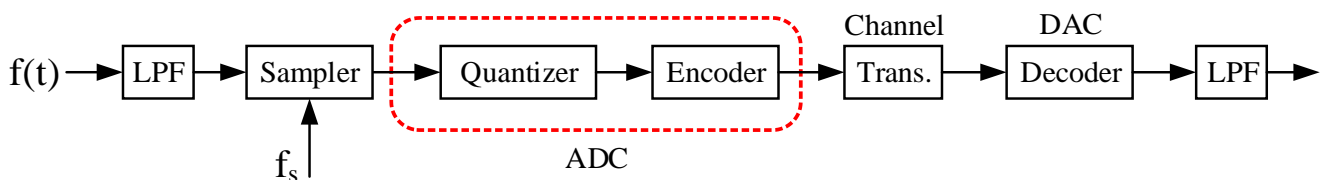
Digital communication has several advantages over analog communication:

- 1- Digital communication has high immunity to channel noise and channel distortion.
- 2- Regenerative repeaters along the transmission path can detect and retransmit a new, clean signal.
- 3- Digital hardware implementation is flexible (it may use microprocessors, digital switching and LSI-ICs)
- 4- Digital signals can be added to yield low error and high fidelity as well as privacy.
- 5- It is easier to multiplex digital signals.
- 6- Exchange of SNR and BW can be done more effectively.

## Digital Transmission of Analogue Signals:

### 1- Pulse Code Modulation (PCM):

This is widely used in digital transmissions. Its block diagram is as shown below:



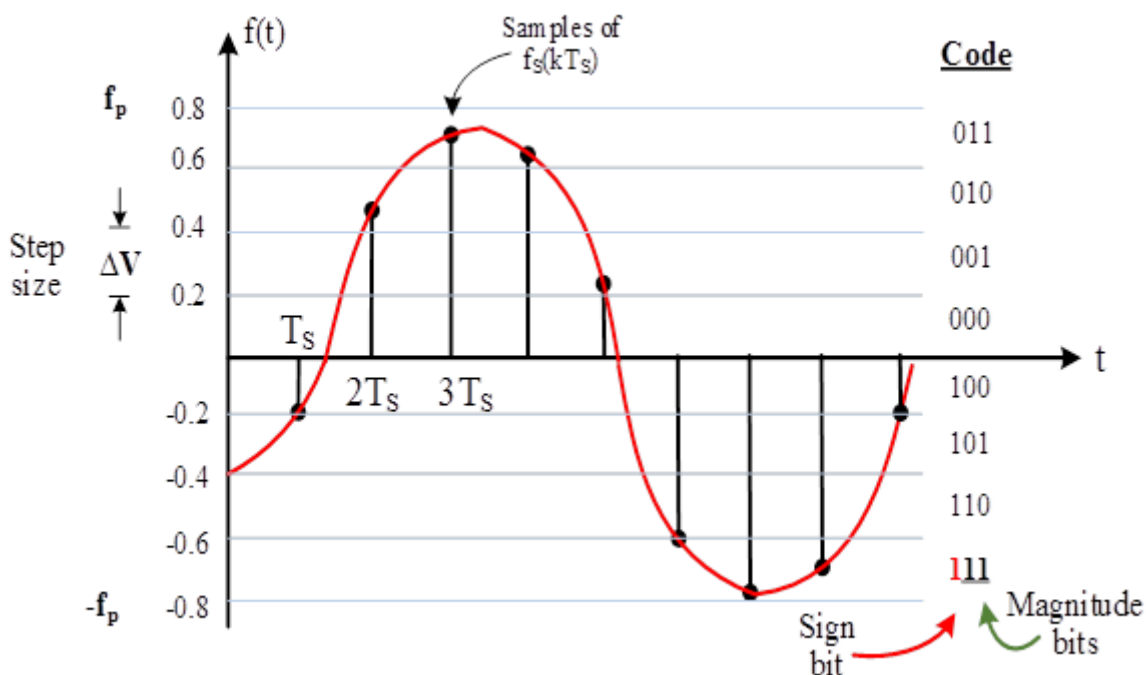
ADC: Analogue to digital converter.

DAC: Digital to Analogue converter.

The output of the sampler  $f_s(kT_s)$  (ADC). Assuming that  $f(t)$  has  $\pm f_p$  peak voltage level, (ADC full scale), the quantizer will divide the  $+f_p$  to  $-f_p$  range into  $L$  equally spaced intervals of size  $\Delta V$  (step size) then:

$$\Delta V = \frac{2f_p}{L}$$

volt .... (6-5)



### Quantizing Noise:

Since the quantization process introduces some fluctuations about the true value, these fluctuations can be regarded as noise. As the number of quantization levels  $L$  increases, the quantization noise decreases.

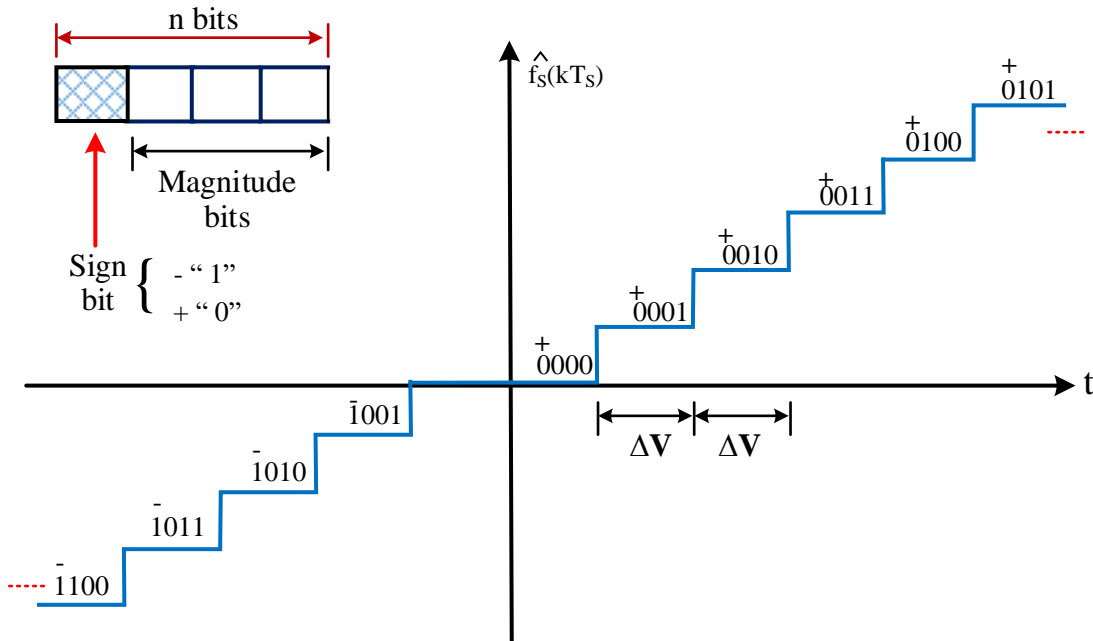
$$N_q = \frac{f_p^2}{3L^2}$$

Volt<sup>2</sup>

.... (6-6)

## Encoding:

ADC will then encode the quantized values according to a certain binary code. The uniform PCM with equal step size mostly uses the **signed binary code** of  $n$  bits.



For  $n=4$ , then the  $\pm f_p$  values will be encoded as shown above, this is called transfer characteristic of the PCM encoder. The relation between number of quantizing levels and number of bits of encoder is:

$$L = 2^n \quad \text{Or} \quad N = \log_2 L \quad \dots (6-7)$$

Note:

If  $n$  for a given value of  $L$  is *not integer* number,

Then  $n$  is computed using  $n = \text{int}(\log_2 L) + 1$ ,

and  $L$  is corrected using  $L = 2^n$