## D. Mean Center :

the mean was discussed as an important measure of central tendency for a set of data. If this concept of central tendency is extended to locational point data in two dimensions ( X and Y coordinates), the average location, called the mean center, can be determined. the only stipulation is that the phenomenon can be displayed graphically as a set of points in a two-dimensional coordinate system.
The directional orientation of the coordinate axes and the location of the origin are both arbitrary.
Once a coordinate system has been established and the coordinates of each point determined, the mean center can be calculated by separately averaging the X and Y coordinates, as follows:
$\bar{X}=\frac{\sum X_{i}}{n} \quad, \quad \bar{Y}=\frac{\sum Y i}{n}$
where:
$\overline{X=}$ mean center of X
$\overline{Y=}$ mean center of Y
$\mathrm{Xi}=\mathrm{X}$ coordinate of point i
$\mathrm{Yi}=\mathrm{Y}$ coordinate of point i
$\mathrm{n}=$ number of points in the distribution
for example\ Calculate the central mean of the following data

| Point | Xi | Yi |
| :---: | :---: | :---: |
| A | $\mathbf{6 1}$ | $\mathbf{3 3}$ |
| B | $\mathbf{8 0}$ | $\mathbf{2 0}$ |
| C | $\mathbf{1 0}$ | $\mathbf{1 8}$ |
| D | $\mathbf{1 2}$ | $\mathbf{1 4}$ |
| E | $\mathbf{2 0}$ | $\mathbf{1 2}$ |

H.W

A-Calculate the central mean of The following points represent weather stations centers.

| weather stations centers | $\mathbf{X}$ | $\mathbf{Y}$ |
| :---: | :---: | :---: |
| 1 | $\mathbf{1 0}$ | $\mathbf{4}$ |
| 2 | $\mathbf{1 6}$ | $\mathbf{8}$ |
| 3 | $\mathbf{8}$ | 9 |
| 4 | 24 | 12 |
| 5 | 18 | 16 |
| 6 | 28 | 13 |
| 7 | 11 | 10 |
| 8 | 30 | 20 |

$B \backslash$ find the weighted mean center for the following data:

| weather stations centers | Weight |
| :---: | :---: |
| 1 | 1 |
| 2 | 3 |
| 3 | 3 |
| 4 | 2 |
| 5 | 4 |
| 6 | 5 |
| 7 | 2 |
| 8 | 5 |

