# LAB. METEOROLOGICAL DATA ANALYSIS ........ FOURTH STAGE 

(The second Semester)

## Department of Atmospheric Sciences

$$
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## (( Sixh Lecture ))

## T-test:

It is a statistical test that enables us to compare the arithmetic mean of the sample and the population.

$$
t=\frac{\bar{x}-\mu_{0}}{s / \sqrt{n}}
$$

Where: $\overline{\mathrm{x}}=$ The arithmetic mean of the sample.
$\mu 0=$ the arithmetic mean of the population.
$\mathrm{s}=$ standard deviation.
Note: When the number of samples is less than 30, we use a test $t$.
For example: A sales company sells $\$ 100$ transactions. They wanted to increase sales, so share 25 people in development courses, which increased the percentage of sales $130 \$$ What is the reason for the increase and standard deviation is 15 and error rate $=5 \%$.

Solue:
1-we extract values of $\mathbf{t}$ Calculated from the equation below:

$$
t=\frac{\bar{x}-\mu_{\mathrm{o}}}{s / \sqrt{n}}
$$

$$
=(130-100)-(15 / \operatorname{SQRT}(25))=\text { The value of } t \text { calculated }
$$

2-Calculate the value of $t$ in the statistical table:

* From the table we determine the value vertical Which represents the error percentage given, $5 \%(0.05)$.
* From the table we determine the value horizontal Which represents degree of freedom which is equal to ( $\mathrm{n}-1$ ) If the number of samples In the example 25 The degree of freedom is 24 .
* find the value of t Tabular by finding the location of the value (1.711).
*- We compare the value of each (t) tabular and (t) calculated If the calculation is greater than Tabular, We reject the null hypothesis and accept the alternative hypothesis.



## H.W

Q1\If the average increase in the wages of workers in one of the institutions in 2015 was 36 thousand dinars, and in 2017, a sample was taken from 64 individuals working in this institution, it was found that the arithmetic mean of the increase in their wages is 40 thousand dinars and the standard deviation 8 thousand. Does this indicate that The average increase in wages for employees of the establishment in 2017 differed from the average increase in wages in 2015, at a significant level of 0.05 .

Q2\The director of a statistical studies company believes that the average monthly expenditure on food in the homes of an area is equal to 290 thousand dinars. If a random sample of 10 houses is taken, it turns out that its arithmetic mean is 296 thousand and its standard deviation is 5 thousand dinars. Is it possible to rely on this sample to confirm what he assumed. Use the $95 \%$ accuracy level.

## Time Series

The time series for any phenomenon is a set of numbers resulting from tracking that phenomenon for a relatively long period of time. Then recording observations or data at regular intervals. The series depends on two variables, one independent and the other dependent.

## Time series components

The four categories of the components of time series are:
1-Trend: The general trend depends on long-term changes in time series, which are Reflect the amount of growth and development where the general trend line is positive, or reflect the amount of decrease, so it is the general trend line is negative. Rainfall, drought, the population, agricultural production, number of births and deaths, number of schools or colleges are some of its example showing some kind of tendencies of movement. The general trend can be in the form of a straight line (linear) or on the Curved shape (nonlinear). It is preferable to study the general trend that the time series be large.



2- Seasonal Variations: These are the regular changes that affect the phenomenon during a period A maximum period of one year (12 months), For example Production of crops depends on seasons. the most important factors that cause these changes:
1- Climate and weather conditions.
2 - Social customs and traditions.


3- Cyclic Variations: they are periodic movements around the general trend and they are not short-term changes. This oscillatory movement has a period of oscillation of more than a year. One complete period is a cycle. The cycles are not of fixed length - some last 8 or 9 years and others last longer than 10 years.

4- Random or Irregular Movements: these changes do not repeat regularly as in the seasonal and cyclical changes. These fluctuations are unforeseen, uncontrollable, unpredictable, and are erratic. These forces are earthquakes, wars, flood, and any other disasters.

## Modeling time series:

There are several methods of time series modeling to make forecasts:

## 1- Moving Average <br> 2 - Exponential Smoothing <br> 3 - ARIM

## 1-Moving Average Model:

A moving average is a model used to get a general idea of trends in a data set; That is, it is the average of any subset of numbers. A moving average is very useful for predicting longterm trends. It can also be calculated for any time period.

The mean value of a group of numbers is exactly the same moving average, but the average is computed multiple times for multiple subsets of data. For example, if you wanted a twoyear moving average for a data set of 2000, 2001, 2002, and 2003, you would find averages for the 2000/2001, 2001/2002, and 2002/2003 subgroups. Moving averages are usually plotted and are better visualized.





Residential electricity sales represented by (the black line) with different moving averages applied to the data represented by (Red line).

For example // Calculate the five-year moving average for the data set given in the table below:

| year | Rain (mm) |
| :---: | :---: |
| 2003 | 40 |
| 2004 | 60 |
| 2005 | 50 |
| 2006 | 80 |
| 2007 | 90 |
| 2008 | 50 |
| 2009 | 40 |
| 2010 | 30 |
| 2011 | 70 |
| 2012 | 80 |

## First average:

$$
=\frac{x_{1}+x_{2}+x_{3}+x_{4}+x_{5}}{5}
$$

Moving Average $(2003-2007)=\frac{(40+60+50+80+90)}{5}=64 \mathrm{~mm}$

- Second average: $=\frac{x_{2}+x_{3}+x_{4}+x_{5}+x_{6}}{5}$

Moving Average $(2004-2008)=\frac{(60+50+80+90+50)}{5}=66 \mathrm{~mm}$

Moving Average $(2005-2009)=\frac{(50+80+90+50+40)}{5}=62 \mathrm{~mm}$

| year | Rain (mm) | Moving Average |
| :---: | :---: | :---: |
| 2003 | 40 |  |
| 2004 | 60 |  |
| 2005 | 50 | 64 |
| 2006 | $\mathbf{8 0}$ | 62 |
| 2007 | $\mathbf{9 0}$ | 58 |
| 2008 | 50 | 56 |
| 2009 | 40 | 54 |
| 2010 | 30 |  |
| 2011 | 70 |  |
| 2012 | $\mathbf{8 0}$ |  |

For example // Calculate the two-year moving average for the data set given in the table below:

| year | T ( $\left.\mathbf{C}^{\mathbf{0}}\right)$ |
| :---: | :---: |
| 2005 | 5 |
| 2006 | 7 |
| 2007 | 12 |
| 2008 | 15 |
| 2009 | 21 |

H.W// Draw the general trend of the series and extract its annual average every 3 years.

| year | 1988 | 1989 | 1990 | 1991 | 1992 | 1993 | 1994 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Rain <br> $(\mathrm{mm})$ | 20 | 30 | 32 | 23 | 34 | 39 | 32 |

