

مفردات مادة الاحتمال والاحتمالية

* Contents *

Chapter one :- Introduction to probability.

Chapter two :- Random variables and probability Distribution.

Chapter three :- Mathematical Expectation and Variance.

Chapter Four :- Probability function of two Random variables.

Chapter Five :- Some special probability distributions.

Chapter Six :- Introduction to Stochastic Process.

Chapter one :-

-: Introduction to probability :-

توضيح كلمة الاحتمالية طالع قرينة الاحتمالية طالعها على
الجرية العشوائية .

- Some Important definitions :-

1] Random experiment :-

— Is the experiment whose respected observation under a set of conditions does not always lead to the same outcomes.

2] Sample space :-

— The collection of every possible outcome and it is denoted by S . (or Ω).

3] Event :-

— It is indicate an outcome or collection of outcomes in any random experiment and it is subset of the sample space.

— For example :- If an event C can happen in f ways out of a total N possible equally ways. Then the prob. of occurrence of the called its success and it is denoted by :-

$$P(C) = \frac{f}{N} \text{ الجزء } \text{ الكلي} \quad (\text{or } P(C) = \frac{w(C)}{N})$$

— and the prob. of non-occurrence of the event called its failure such that:—

$$q = 1 - p(c) \Rightarrow p + q = 1$$

Example— Two dice thrown once, let A be the collection of every pair of the sample space for which the sum of the pair is equal to seven. Then \underline{A} is:—

$$S = \{(1,1), (1,2), (1,3), \dots, (1,6), (2,1), \dots, (2,6), \dots, (6,6)\}$$

and

$$A = \{(1,6), (2,5), (3,4), (4,3), (5,2), (6,1)\}$$

$$\text{Then } p(A) = \frac{f}{N} = \frac{n(A)}{N} = \frac{6}{36}$$

*** Types of events:—

① Simple event:— For exp. tail or head appearing when one coin is thrown.

② Mutually exclusive events:— If A, B are two mutually exclusive events then:—

$P(AB) = 0 \Rightarrow$ For exp. A coin is thrown then a tail is appear that not head app.

③ Dependent and independent events:—

— If A, B two indep. events, then A appearing not effect that B appearing. Then:—

$$P(AB) = P(A) \cdot P(B).$$