

الجامعة المستنصرية / كلية التربية / قسم علوم الحاسبات



4th Class

Computers & Data Security

أمنية الحاسوب والبيانات

أستاذ المادة

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DES Example

- Let M be the plain text message $M = 0123456789ABCDEF$, where M is in hexadecimal (base 16) format. Rewriting M in binary format, we get the 64-bit block of text:
 - $M = 0000\ 0001\ 0010\ 0011\ 0100\ 0101\ 0110\ 0111\ 1000\ 1001\ 1010\ 1011\ 1100\ 1101\ 1110\ 1111$
 $L = 0000\ 0001\ 0010\ 0011\ 0100\ 0101\ 0110\ 0111$
 $R = 1000\ 1001\ 1010\ 1011\ 1100\ 1101\ 1110\ 1111$
 - The first bit of M is "0". The last bit is "1". We read from left to right.
 - Let K be the hexadecimal key $K = 133457799BBCDFF1$. This gives us as the binary key (setting 1 = 0001, 3 = 0011, etc., and grouping together every eight bits, of which the last one in each group will be unused):
 - $K = 00010011\ 00110100\ 01010111\ 01111001\ 10011011\ 10111100\ 11011111\ 11110001$
 - The DES algorithm uses the following steps:
 - 1- **Step 1: Create 16 subkeys, each of which is 48-bits long:-** The 64-bit key is permuted according to the following table, PC-1.
From the original 64-bit key
 $K = 00010011\ 00110100\ 01010111\ 01111001\ 10011011\ 10111100\ 11011111\ 11110001$
we get the 56-bit permutation
 $K_+ = 1111000\ 0110011\ 0010101\ 0101111\ 0101010\ 1011001\ 1001111\ 0001111$
 - Next, split this key into left and right halves, C_0 and D_0 , where each half has 28 bits.

- $C_0 = 1111000\ 0110011\ 0010101\ 0101111$
- $D_0 = 0101010\ 1011001\ 1001111\ 0001111$

- With C_0 and D_0 defined, we now create sixteen blocks C_n and D_n , $1 \leq n \leq 16$. Each pair of blocks C_n and D_n is formed from the previous pair C_{n-1} and D_{n-1} , respectively, for $n = 1, 2, \dots, 16$, using the following schedule of "left shifts" of the previous block. To do a left shift, move each bit one place to the left, except for the first bit, which is cycled to the end of the block.

Iteration Number	Number Left Shift
1	1
2	1
3	2
4	3
5	4
6	5
7	6
8	7
9	8
10	9
11	10
12	11
13	12
14	13
15	14
16	15

- This means, for example, C_3 and D_3 are obtained from C_2 and D_2 , respectively, by two left shifts, and C_{16} and D_{16} are obtained from C_{15} and D_{15} , respectively, by one left shift.
- In all cases, by a single left shift is meant a rotation of the bits one place to the left, so that after one left shift the bits in the 28 positions are the bits that were previously in positions 2, 3, ..., 28, 1.
- From original pair pair C_0 and D_0 we obtain:
- $C_0 = 1111000011001100101010101111$
 $D_0 = 0101010101100110011110001111$
- $C_1 = 1110000110011001010101011111$
 $D_1 = 1010101011001100111100011110$
- $C_2 = 1100001100110010101010111111$
 $D_2 = 0101010110011001111000111101$
- .
- .
- $C_{16} = 1111000011001100101010101111$
 $D_{16} = 0101010101100110011110001111$
- We now form the keys K_n , for $1 \leq n \leq 16$, by applying the PC-2 table to each of the concatenated pairs $C_n D_n$. Each pair has 56 bits, but PC-2 only uses 48 of these.
- For the first key we have $C_1 D_1 = 1110000 1100110 0101010 1011111 1010101 0110011 0011110 0011110$

- which, after we apply the permutation **PC-2**, becomes
- $K_1 = 000110\ 110000\ 001011\ 101111\ 111111\ 000111\ 000001\ 110010$

2- **Step 2: Encode each 64-bit block of data:-** Applying the initial permutation to the block of text **M**, given previously, we get

M = 0000 0001 0010 0011 0100 0101 0110 0111 1000 1001 1010 1011 1100 1101 1110 1111

IP = 1100 1100 0000 0000 1100 1100 1111 1111 1111 0000 1010 1010 1111 0000 1010 1010

Next divide the permuted block **IP** into a left half L_0 of 32 bits, and a right half R_0 of 32 bits.

$L_0 = 1100\ 1100\ 0000\ 0000\ 1100\ 1100\ 1111\ 1111$

$R_0 = 1111\ 0000\ 1010\ 1010\ 1111\ 0000\ 1010\ 1010$

- We now proceed through 16 iterations, for $1 \leq n \leq 16$, using a function f which operates on two blocks--a data block of 32 bits and a key K_n of 48 bits--to produce a block of 32 bits. **Let + denote XOR addition, (bit-by-bit addition modulo 2).** Then for n going from 1 to 16 we calculate

- $L_n = R_{n-1}$
 $R_n = L_{n-1} + f(R_{n-1}, K_n)$

- For $n = 1$, we have

- $K_1 = 000110\ 110000\ 001011\ 101111\ 111111\ 000111\ 000001\ 110010$

$L_1 = R_0 = 1111\ 0000\ 1010\ 1010\ 1111\ 0000\ 1010\ 1010$

$R_1 = L_0 + f(R_0, K_1)$

- We calculate $E(R_o)$ from R_o as follows:
- $R_o = 1111\ 0000\ 1010\ 1010\ 1111\ 0000\ 1010\ 1010$
 $E(R_o) = 011110\ 100001\ 010101\ 010101\ 011110\ 100001\ 010101\ 010101$
- Next in the f calculation, we XOR the output $E(R_{n-1})$ with the key K_n :
- $K_n + E(R_{n-1})$.
- $K_1 = 000110\ 110000\ 001011\ 101111\ 111111\ 000111\ 000001\ 110010$
 $E(R_o) = 011110\ 100001\ 010101\ 010101\ 011110\ 100001\ 010101\ 010101$
 $K_1 + E(R_o) = 011000\ 010001\ 011110\ 111010\ 100001\ 100110\ 010100\ 100111$.
- Write the previous result, which is 48 bits, in the form:
- $K_n + E(R_{n-1}) = B_1 B_2 B_3 B_4 B_5 B_6 B_7 B_8$, where each B_i is a group of six bits. We now calculate
- $S_1(B_1) S_2(B_2) S_3(B_3) S_4(B_4) S_5(B_5) S_6(B_6) S_7(B_7) S_8(B_8)$
- where $S_i(B_i)$ refers to the output of the i -th S box.

- For the first round, we obtain as the output of the eight S boxes:
- $K_1 + E(R_0) = 011000\ 010001\ 011110\ 111010\ 100001\ 100110\ 010100\ 100111.$
- $S_1(B_1)S_2(B_2)S_3(B_3)S_4(B_4)S_5(B_5)S_6(B_6)S_7(B_7)S_8(B_8) = 0101\ 1100\ 1000\ 0010\ 1011$
 $0101\ 1001\ 0111$
- The final stage in the calculation of f is to do a permutation P of the S -box output to obtain the final value of f :
- $f = P(S_1(B_1)S_2(B_2)...S_8(B_8))$
- From the output of the eight S boxes, we get
- $f = 0010\ 0011\ 0100\ 1010\ 1010\ 1001\ 1011\ 1011$
 $R_1 = L_0 + f(R_0, K_1)$
- $= 1100\ 1100\ 0000\ 0000\ 1100\ 1100\ 1111\ 1111$
 $+ 0010\ 0011\ 0100\ 1010\ 1010\ 1001\ 1011\ 1011$
 $= 1110\ 1111\ 0100\ 1010\ 0110\ 0101\ 0100\ 0100$
- This is an example of one round of DES algorithm.